

Estimation of cosmological parameters using the 21cm line at the cosmic dawn

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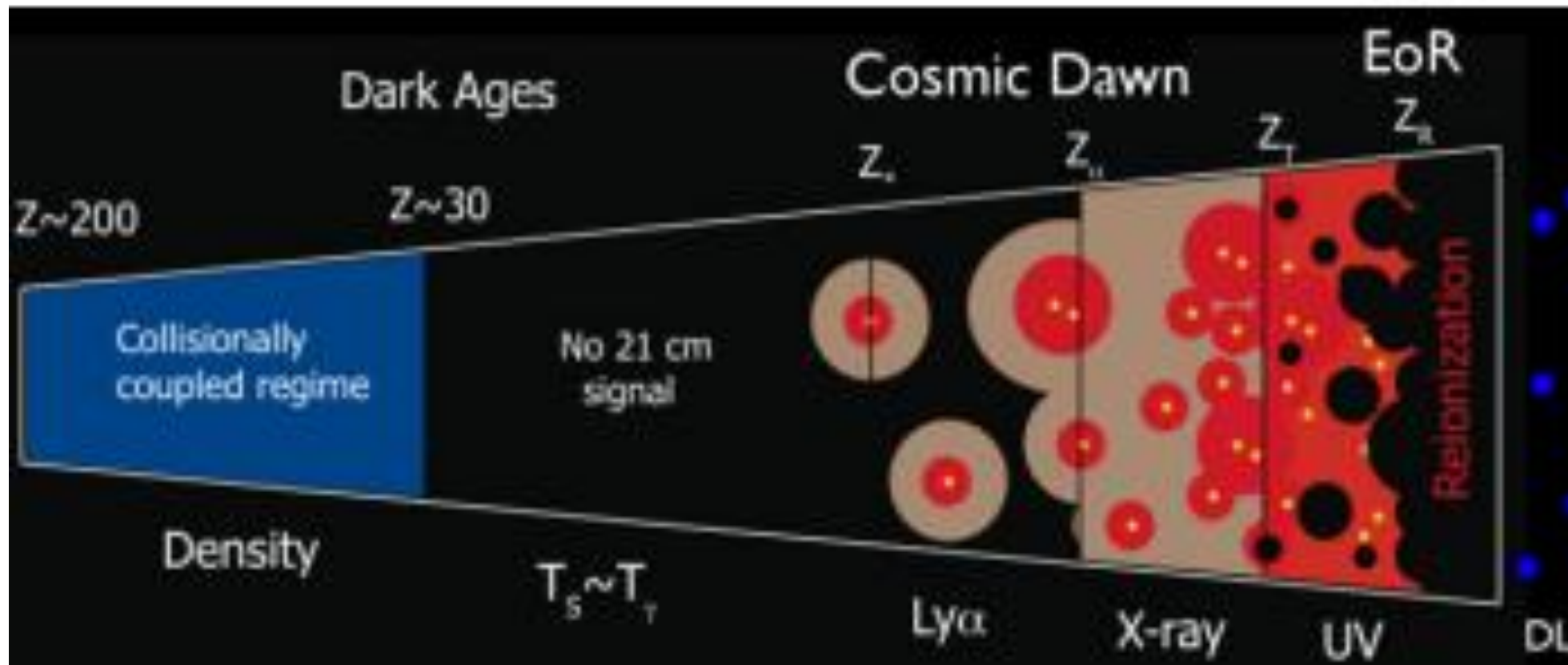


purpose

- We can probe cosmological and astrophysical parameters by using the 21cm line signal from the cosmic dawn era
- We investigate how astrophysical parameters affect constraints on cosmological ones

About the time of the universe studied

- What is the Cosmic Dawn?

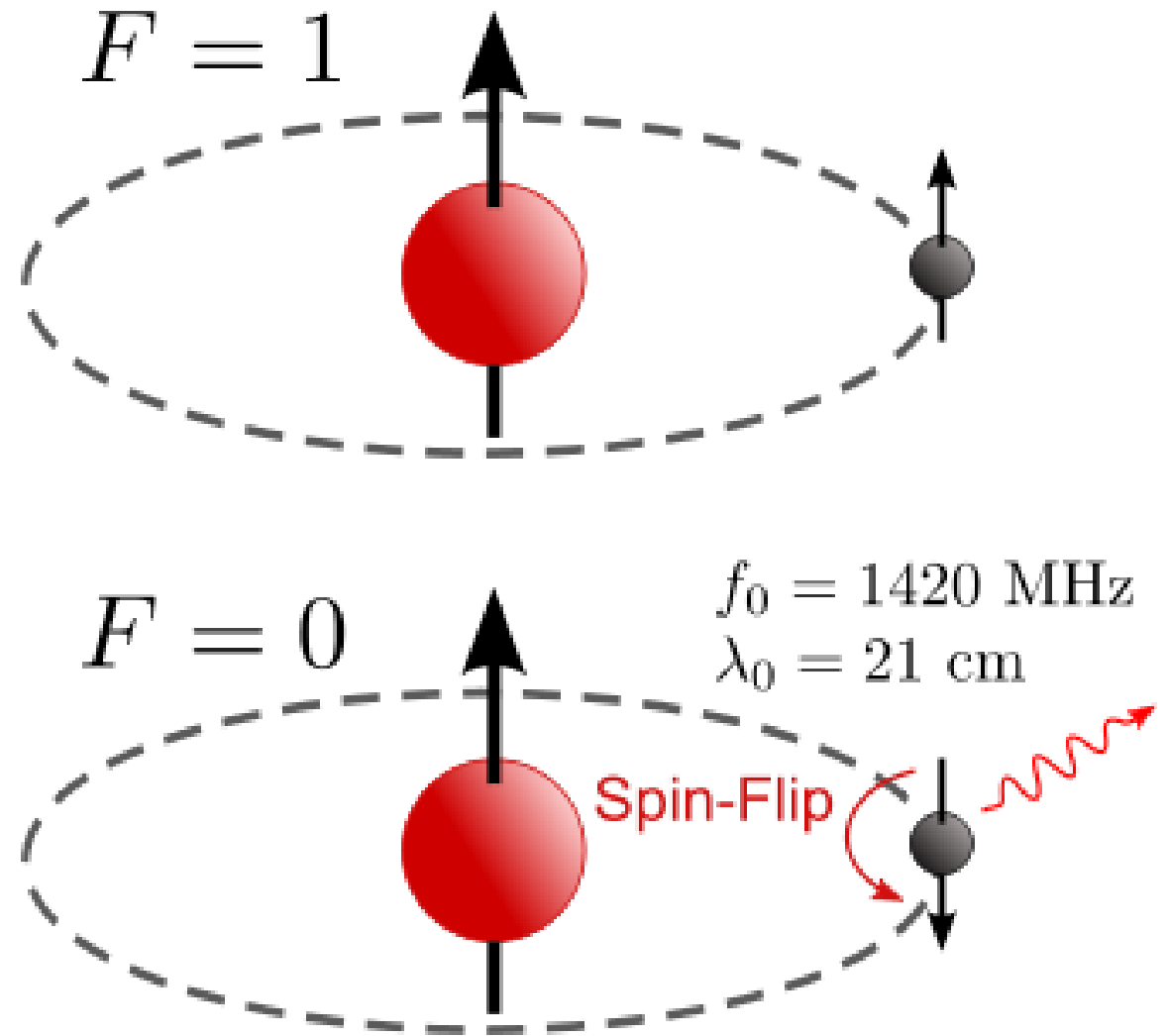


About 21cm signal

- What is 21cm line?

$F=1$: triplet state

$F=0$: singlet state



Base 21cm physics

- Basic equation of radiative transfer

$$\frac{dI_\nu}{ds} = -\alpha_\nu I_\nu + j_\nu$$

α_ν : coefficients for absorption,

j_ν : coefficients for emission

- Rayleigh-Jeans limit

$$I_\nu = 2k_B T \nu^2 / c^2$$

T : *brightness temperature*

- Brightness temperature along a line of sight through the intermediate medium observed

$$T_b = T_s(1 - e^{-\tau_\nu}) + T_\gamma(\nu)e^{-\tau_\nu}$$

T_s : *spin temperature*

T_γ : *background radio source of brightness temperature*

($T_\gamma = T_{CMB}$)

τ_ν : *optical depth*

• *The optical depth of a cloud of hydrogen*

$$\tau_\nu = \int ds \left[1 - \exp\left(-\frac{E_{10}}{k_B T_s}\right) \right] \sigma_0 \Phi(\nu) n_0$$

E_{10} : *Energy difference between triplet state and singletstate*

$$\sigma_0 = \frac{n_H}{4}$$

n_H : *hydrogen density*

21cm cross-section : $\sigma(\nu) \equiv \Phi(\nu) \sigma_0$

$$\sigma_0 = \frac{3c^2 A_{10}}{8\pi\nu^2}$$

A_{10} : *spontaneous decay rate of spin – flip transition*

- differential brightness temperature :

$$\delta T_b = \frac{T_b - T_\gamma}{1+z} = \frac{T_s - T_\gamma}{1+z} (1 - e^{-\tau_\nu})$$

$$\approx \frac{T_s - T_\gamma}{1+z} \tau_\nu$$

$$\approx 27 x_{HI} (1 + \delta_b) \left(\frac{\Omega_b h^2}{0.023} \right) \left(\frac{0.15}{\Omega_m h^2} \frac{1+z}{10} \right)^{\frac{1}{2}} \left(\frac{T_s - T_\gamma}{T_s} \right) \left[\frac{\partial_r v_r}{(1+z)H(z)} \right] mK$$

δ_b : *fractional over density in baryons*

x_{HI} : *neutral fraction of hydrogen*

$\partial_r v_r$: *specific velocity of hydrogen gas*

$T_s > T_\gamma$ δT_b : *emission line*

$T_s < T_\gamma$ δT_b : *absorption line*

- Spin temperature

$$T_s^{-1} = \frac{T_\gamma^{-1} + x_\alpha T_\alpha^{-1} + x_c T_K^{-1}}{1 + x_\alpha + x_c}$$

$$x_{tot} \equiv x_\alpha + x_c$$

T_α : *color temperature of the Ly α radiation field* ($T_\alpha = T_K$)

T_K : *gas kinetic temperature*

x_α, x_c : *Coupling coefficients for collisions and Ly α*

$$x_{tot} \geq 1 : T_s \approx T_K$$

$$x_{tot} \ll 1 : T_s \approx T_\gamma$$

21cm line at cosmic dawn

1, Cosmic dawn : $T_s < T_{CMB}$

21cm signal is observed as absorption line

2, Emission of $Ly\alpha$ photons from first astrophysical objects affect the spin temperature

Global signal

- Parameter dependence of brightness temperature

$$T_b = T_b(\Omega_b h^2, \Omega_c h^2, \epsilon_* \dots)$$

The Other parameters

Ω_b : *Baryon energy density*

Ω_c : *Energy density of cold dark matter*

ϵ_* : *star formation rate*

How to estimate cosmological parameters

- Purpose

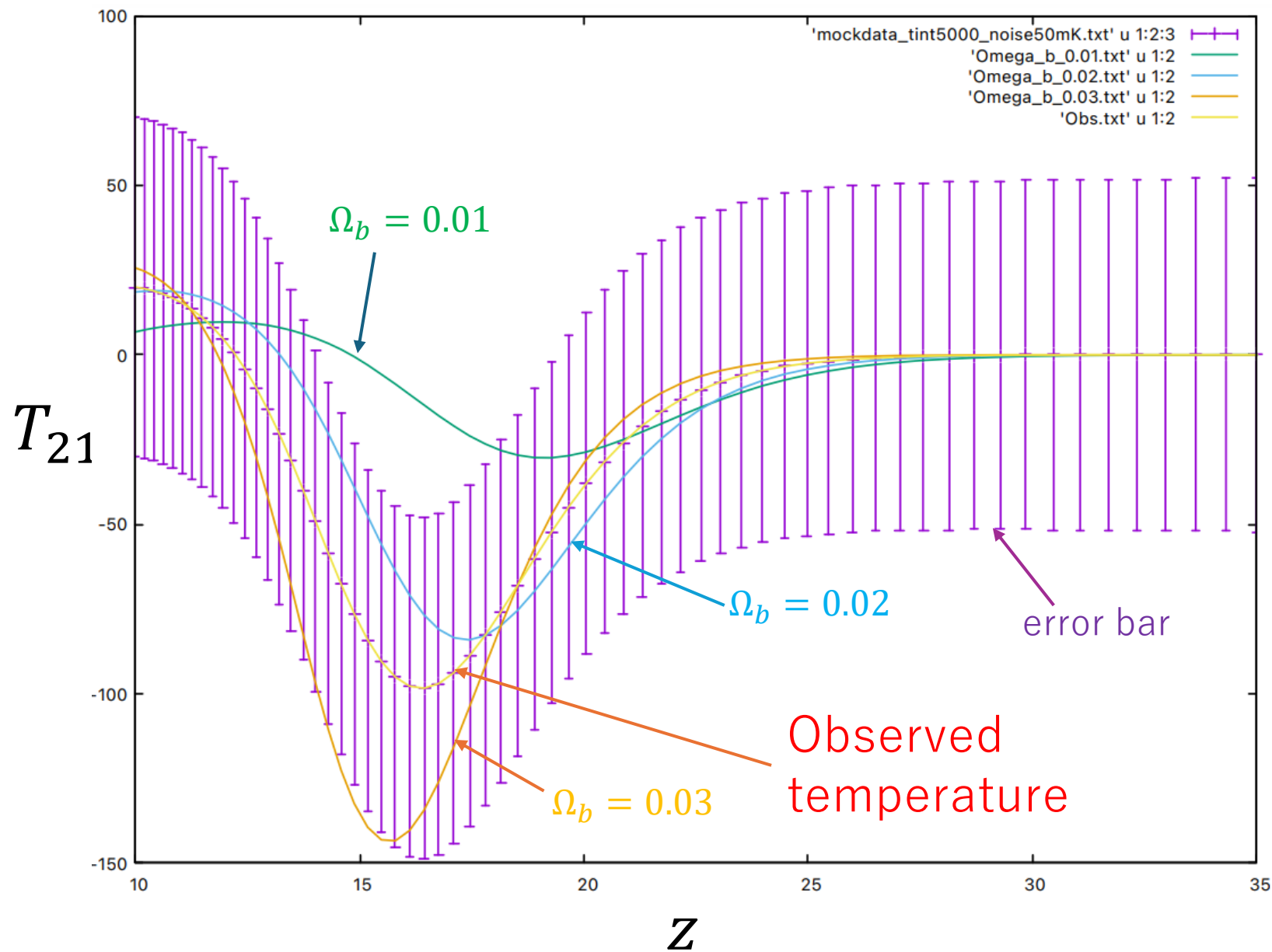
The purpose is to investigate expected constraints from future observations of 21cm cosmic dawn signal

In particular, we study the effects of astrophysical parameters on constraints on cosmological

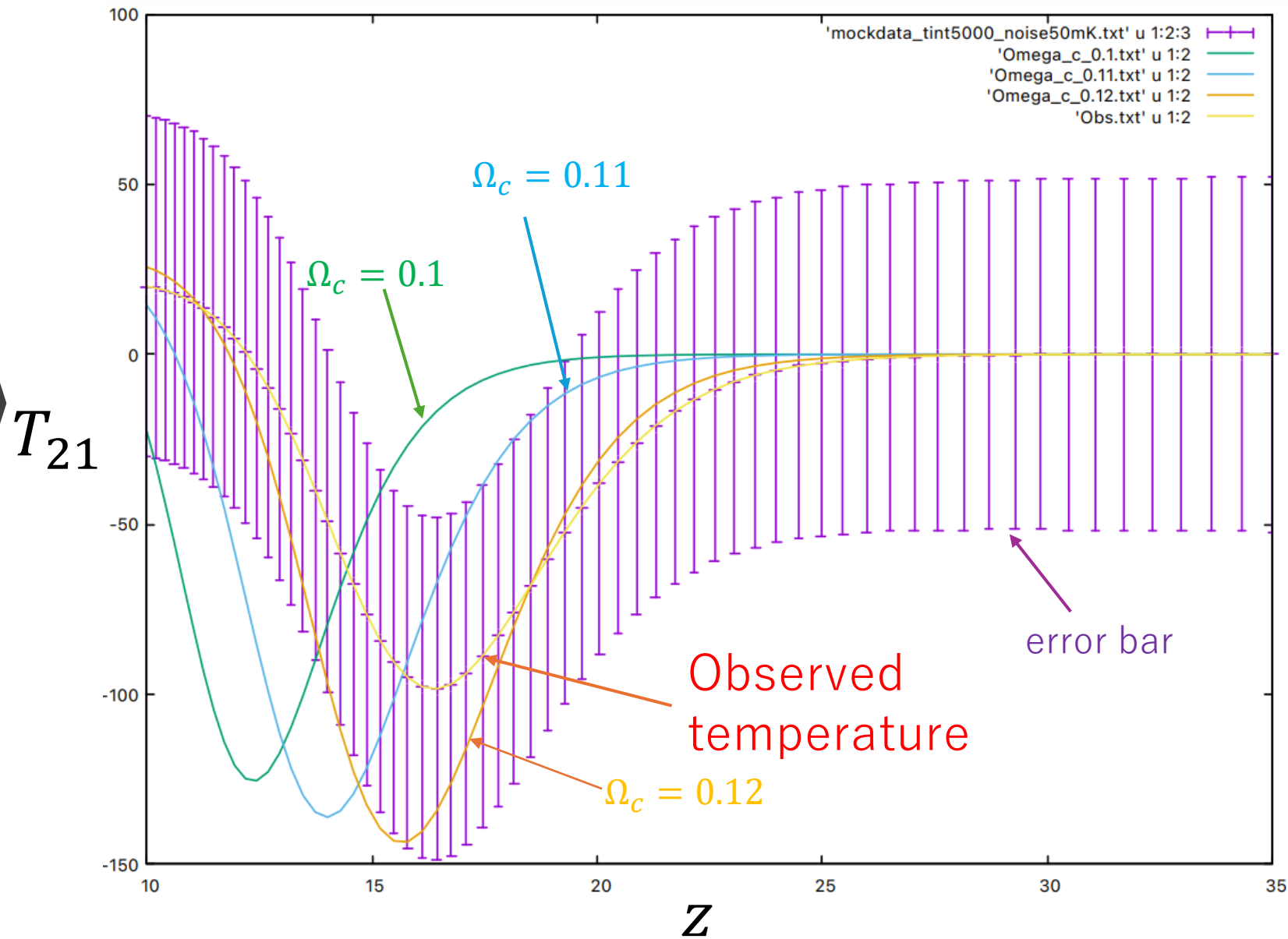
- Way

By using a mock data obtainable in future observations, we constrain cosmological parameter

Changes in global signal when changing Ω_b

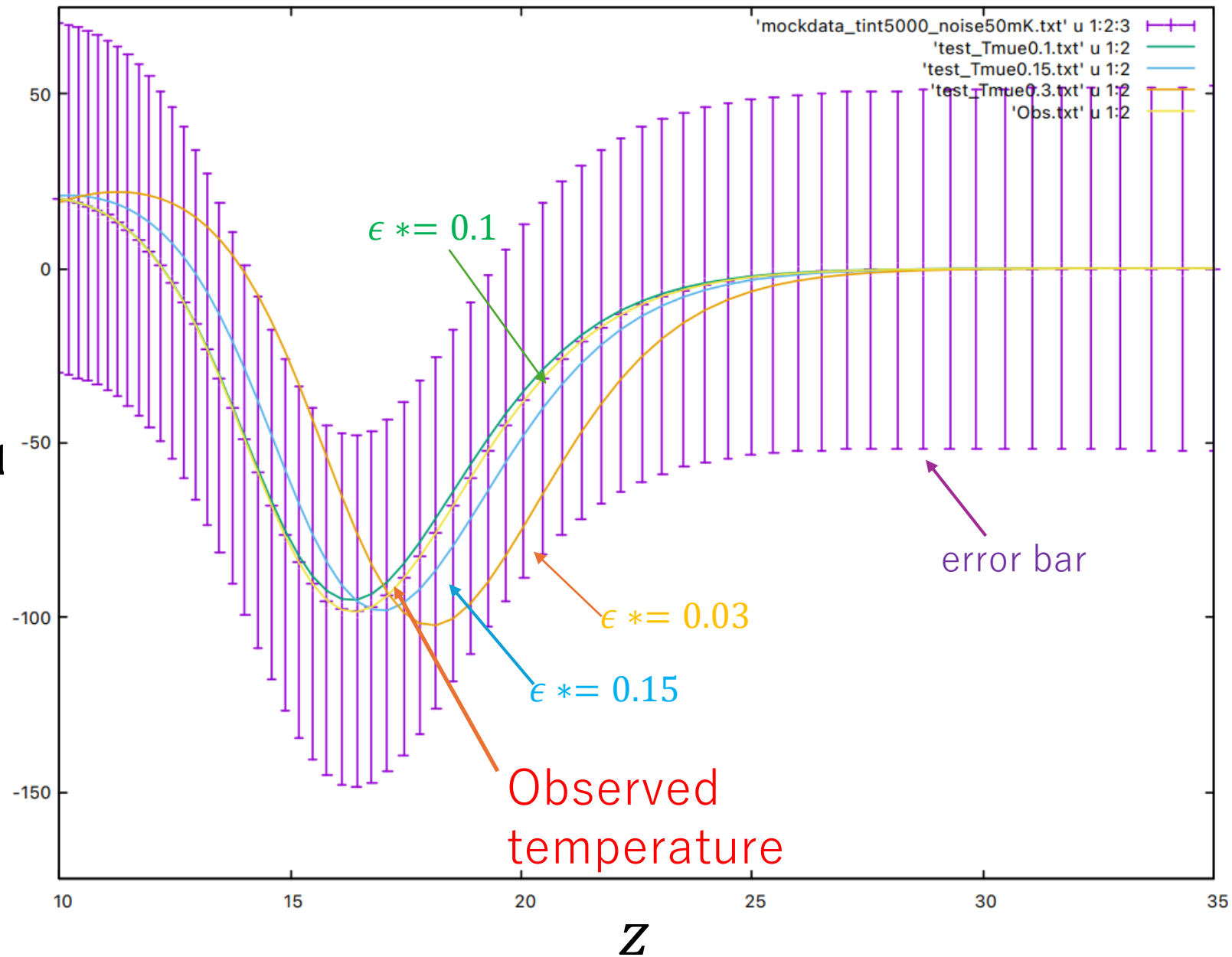


Changes in
global signal
when
changing Ω_c

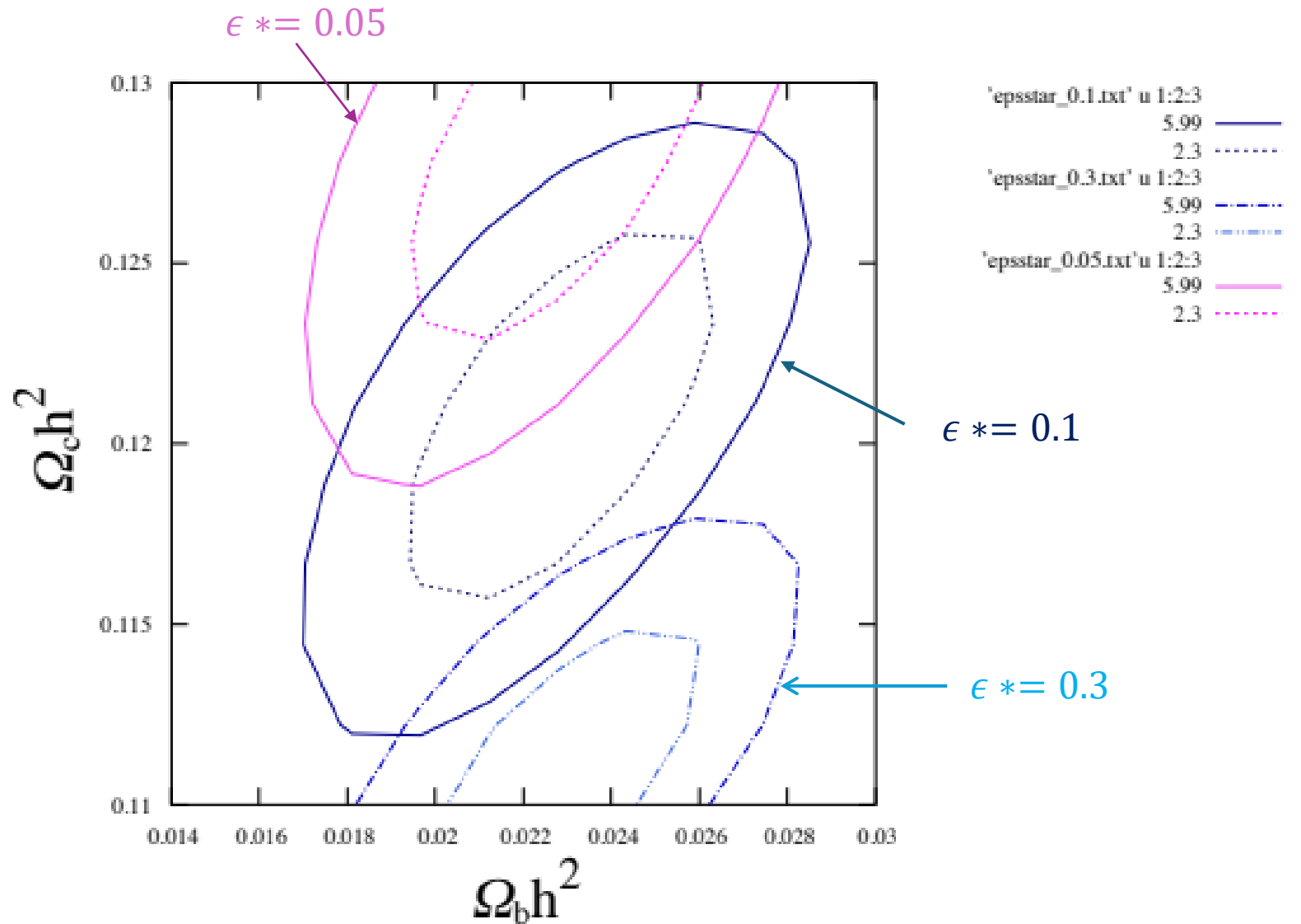


Change in
global signal
when
changing
 ϵ^*

T_{21}



Changes in cosmological parameters when changing ϵ^*



Summary

- We have investigated expected constraints on cosmological parameters from the 21cm signal from the cosmic dawn epoch
- We focused on how the assumption of astrophysical parameters affects constraints on cosmological parameters and found that the effect can be large
- We need to take account of both astrophysical and cosmological parameters properly when studying