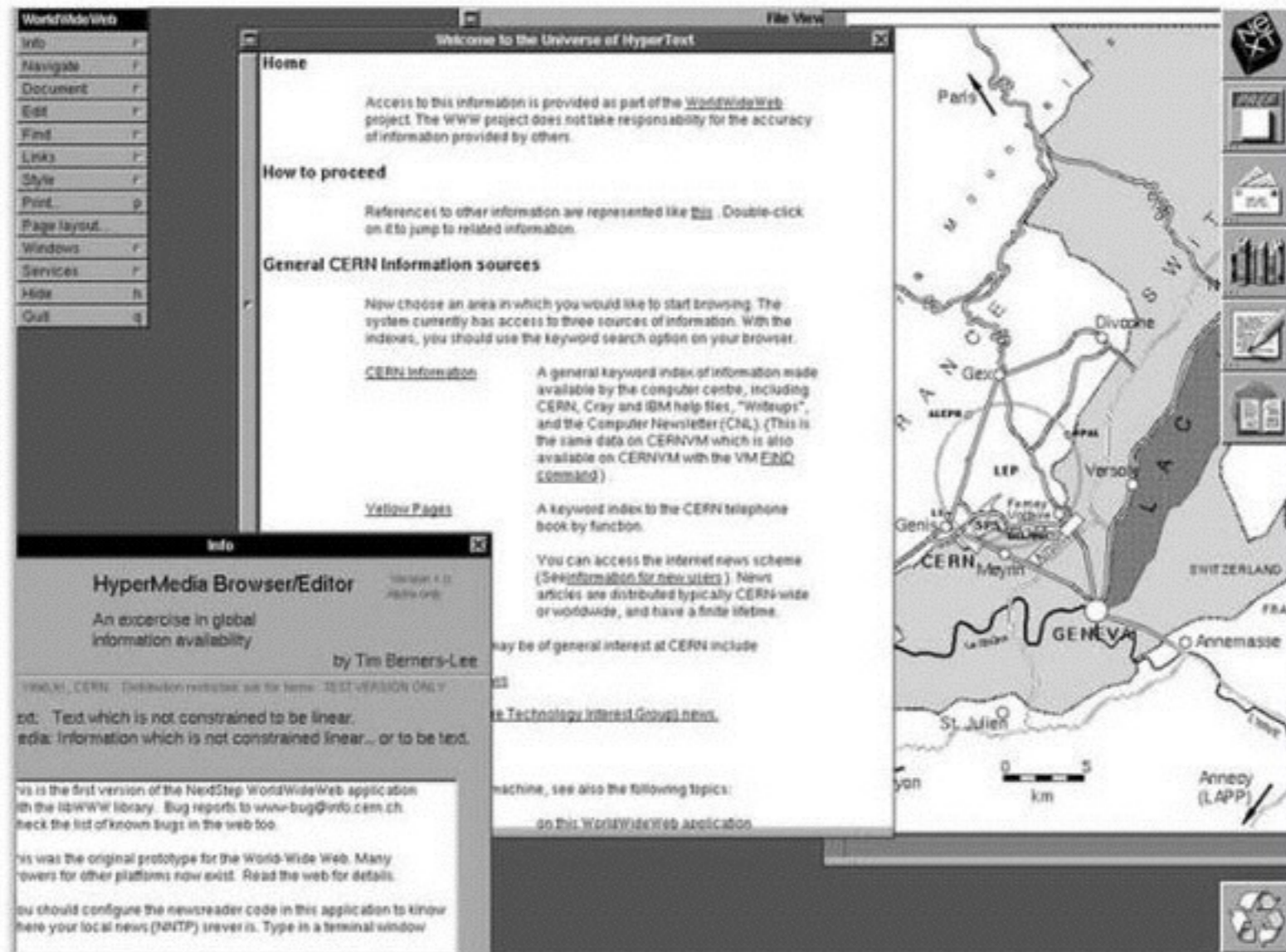


New resonances at the LHC

Seongchan Park
Yonsei Univ. & KIAS

The 12th Saga-Yonsei workshop
Dec. 21, 2015@ Yonsei University

25 years ago today, the first web page went online @CERN



After then, the world
changed completely
in an irreversible way

Some say we should invest
our money to where
economical return is high

Probably the best place is
PURE SCIENCE where
new ideas are born.

Particle physics

- The forefront of human's understanding about Nature
- Looking for 'fundamental principles' which govern how Nature works, what Universe is composed with
- We look into elementary particles because we think we can learn the fundamental principles from them most efficiently!
- **NOT BECAUSE** we are interested in small things

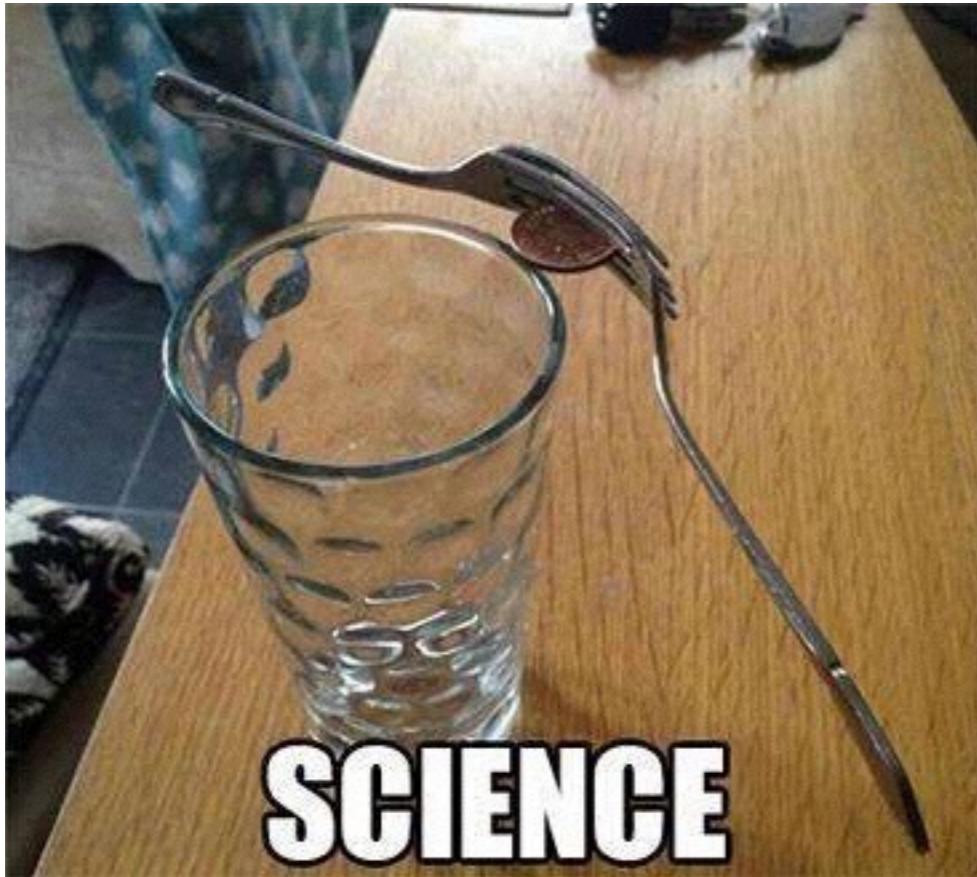
Cosmology

- Indeed, we are interested in 'Large things' too
- Universe -our patch universe-, is the largest physical object we are interested in
- used to be 'small' 13.7b years ago
- Particle physics provides very useful framework to understand Universe itself!

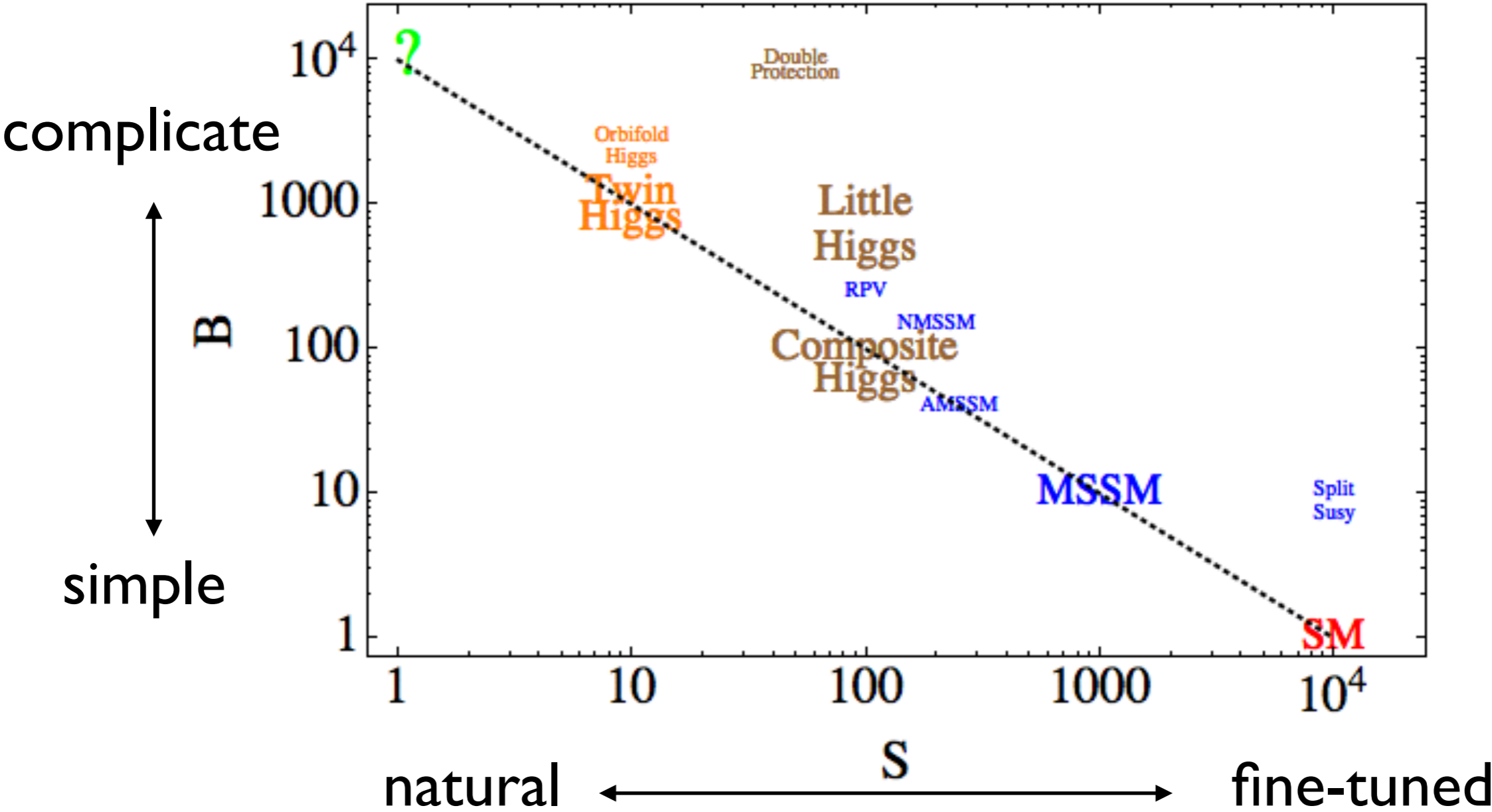
for students

- Don't forget that we are looking for fundamental principles
- This is NOT a small goal but probably the toughest goal
- We should be humble in front of Nature but you'd better be ambitious, work hard and think hard

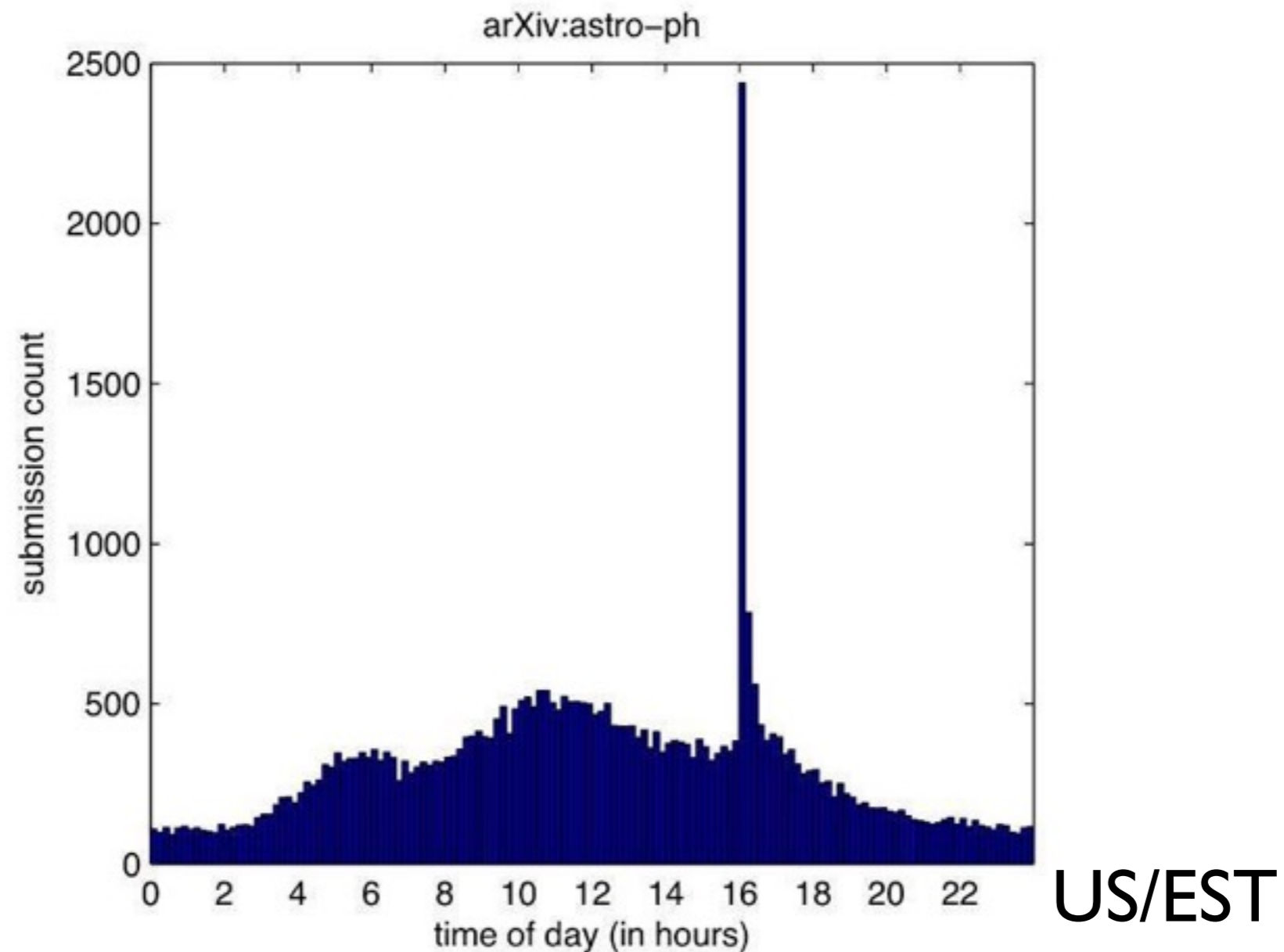
What are we doing here?



BS diagram



Resonance tells us
a lot about what behind



arXiv:0907.4740

Today's topics

- **Top-philic resonance**

Nicolas Greiner, Kyoungchul Kong, Jong-Chul Park, [*SCP*](#), Jan-Christopher Winter
JHEP 1504 (2015) 029

- **Diboson resonance**

Doojin Kim, Kyoungchul Kong, Hyun Min Lee, [*SCP*](#)
JHEP 1511 (2015) 150

- **Diphoton resonance @750 GeV coming soon**

Part 1

Top-Philic Resonance at the LHC

Nicolas Greiner, Kyoungchul Kong, Jong-Chul Park, [SCP](#), Jan-Christopher Winter
JHEP 1504 (2015) 029

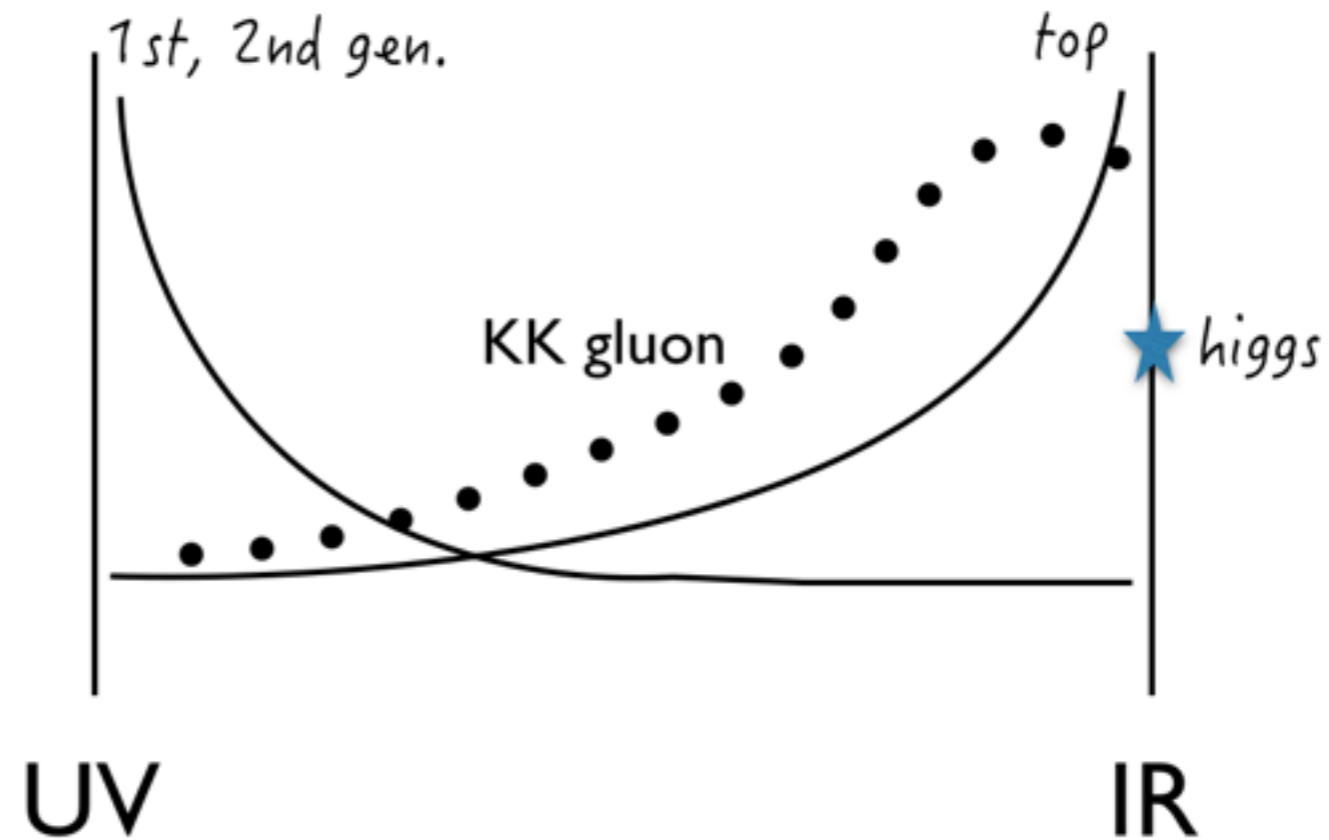
Top-philic resonance (TPR)

- New physics may have a sizable coupling only with top quark
- LHC is not the best place for this kind of new physics!

$$PDF(Q^2, x; top) = 0$$

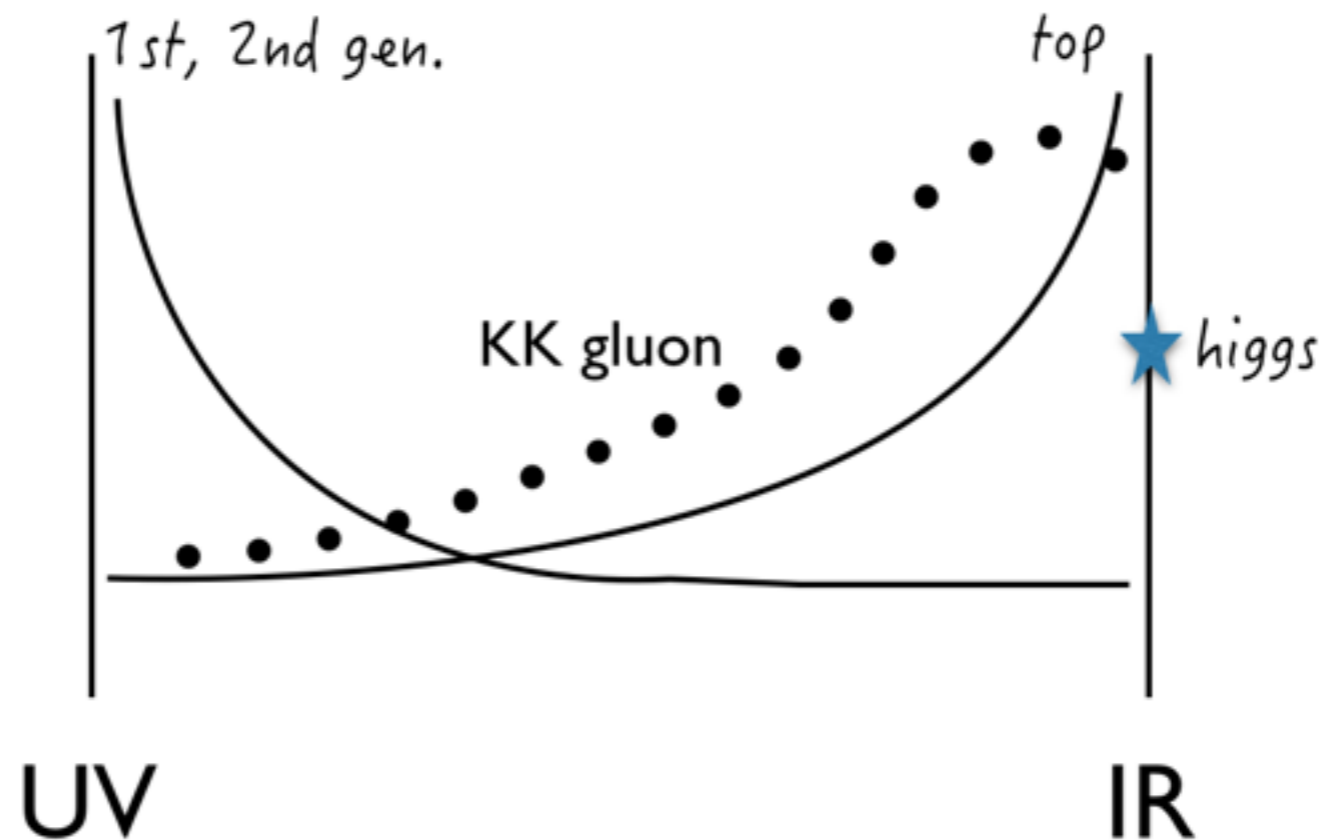
- We need to be clever to probe this kind of new physics

A model for TPR



effective coupling=wave function overlap

$$c_t = \int dy f_{G_3} f_t f_t$$



$$c_t \gg c_{u,d,\dots}$$

“top-philic vector boson”

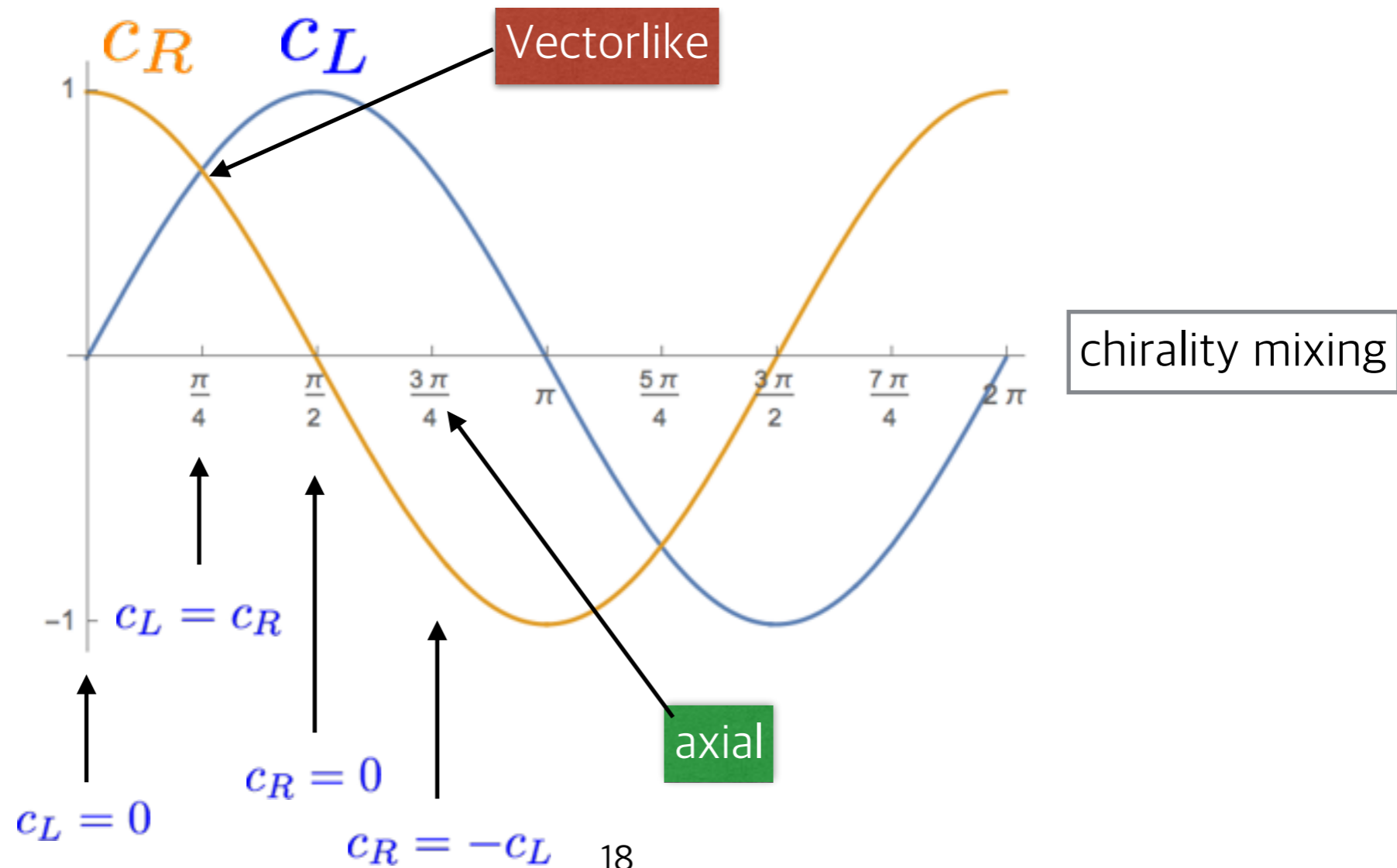
An effective Lagrangian

$$\begin{aligned}\mathcal{L} &= \bar{t} \gamma_\mu (c_L P_L + c_R P_R) t G_3^\mu, \\ &= c_t \bar{t} \gamma_\mu (\cos \theta P_L + \sin \theta P_R) t G_3^\mu\end{aligned}$$

- “theta” : generic chiral structure
- “c_t” : coupling strength $\sim O(1)$

Chirality structure for G_3

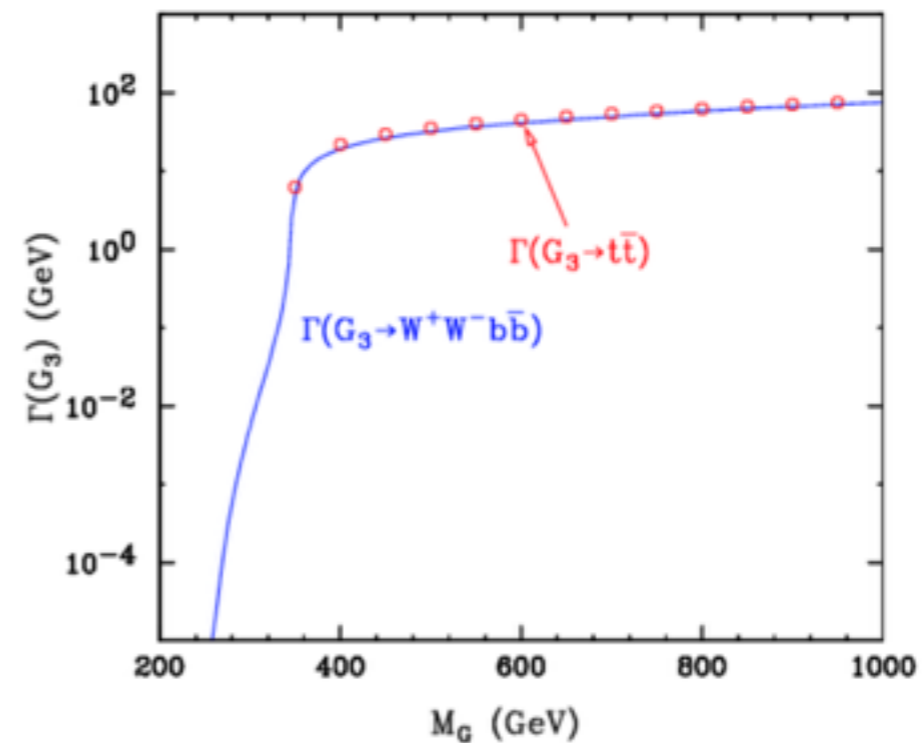
$$\begin{aligned}\mathcal{L} &= \bar{t} \gamma_\mu (c_L P_L + c_R P_R) t G_3^\mu, \\ &= c_t \bar{t} \gamma_\mu (\cos \theta P_L + \sin \theta P_R) t G_3^\mu\end{aligned}$$



Decay of G_3

$$\Gamma(G_3 \rightarrow t\bar{t}) = \frac{c_t^2 M_G}{8\pi} \sqrt{1 - \frac{4m_t^2}{M_G^2}} \left[1 + \frac{m_t^2}{M_G^2} (3 \sin 2\theta - 1) \right]$$
$$\approx \frac{c_t^2 M_G}{8\pi} \quad \text{for } m_t \ll M_G .$$

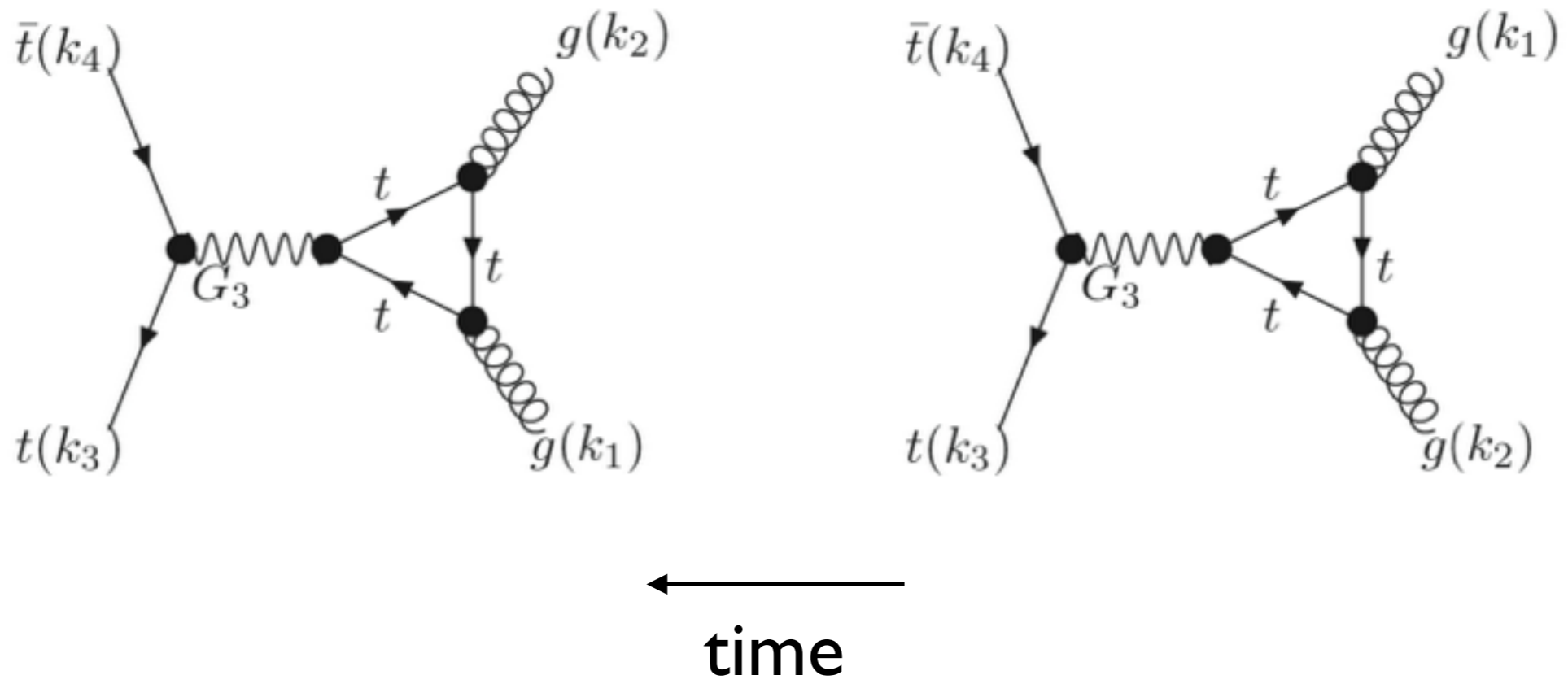
- **Decay is simple**
 $\text{Br}(G_3 \rightarrow t\bar{t}) = 100\%$
- $\text{Br}(G_3 \rightarrow b\bar{b})$ makes the case more interesting...



Production mechanism

- **LHC: Proton (u,d,g,...) + Proton(u,d,g,...)**
- **No direct contact with TPR**
- **but...**

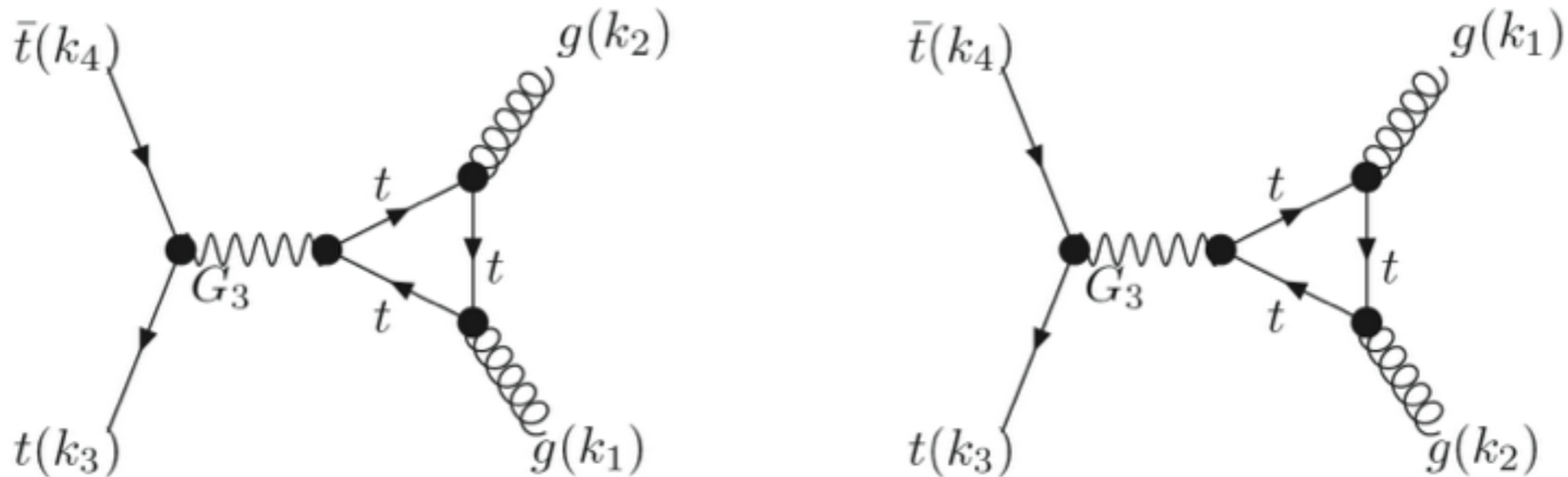
$g g \rightarrow G_3$
1-loop



NOTE:

Landau-Yang theorem forbids on-shell production of vector G_3

Landau-Yang: A massive vector cannot decay into two massless photons and vice versa

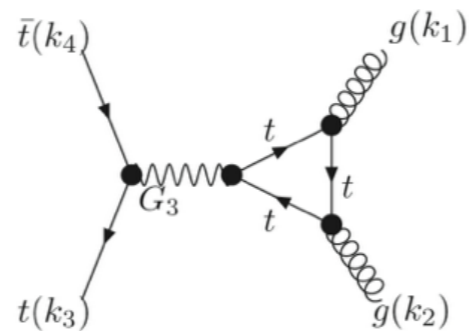
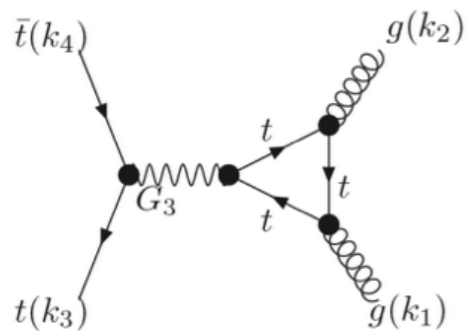


Furry's theorem

For any odd number n

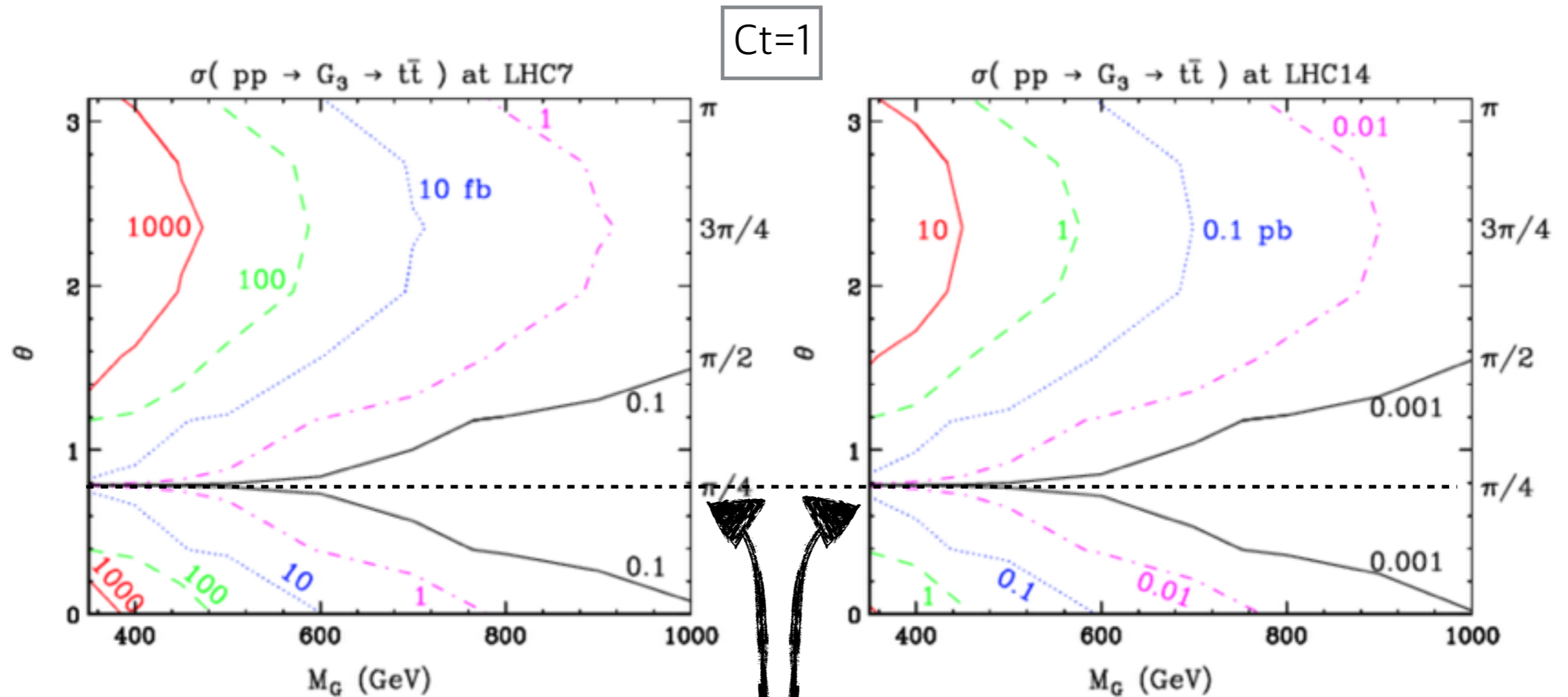
$$\langle \Omega | T [j^{\mu_1}(x_1) \cdots j^{\mu_n}(x_n)] | \Omega \rangle = 0$$

where $j \sim$ vector current



=0 for vector current interactions
i.e. $\theta = \pi/4$

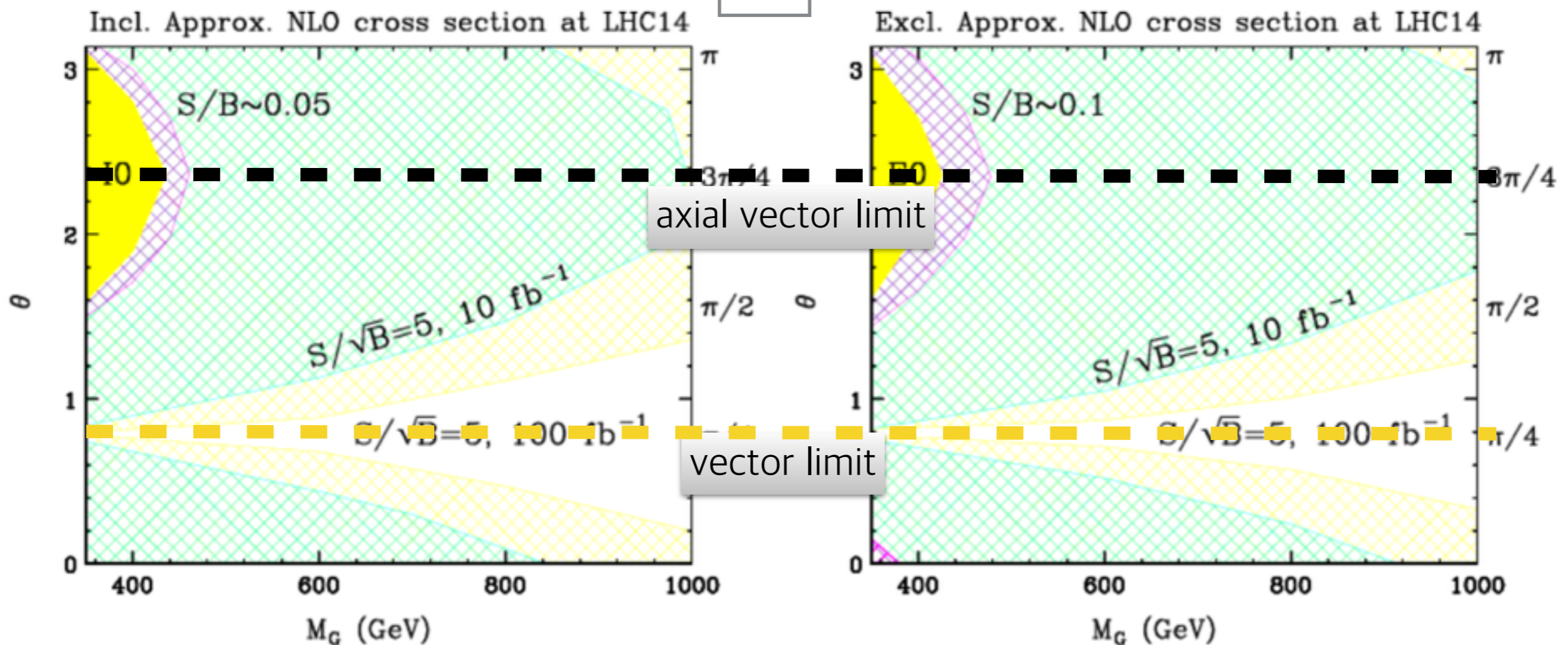
Production cross section



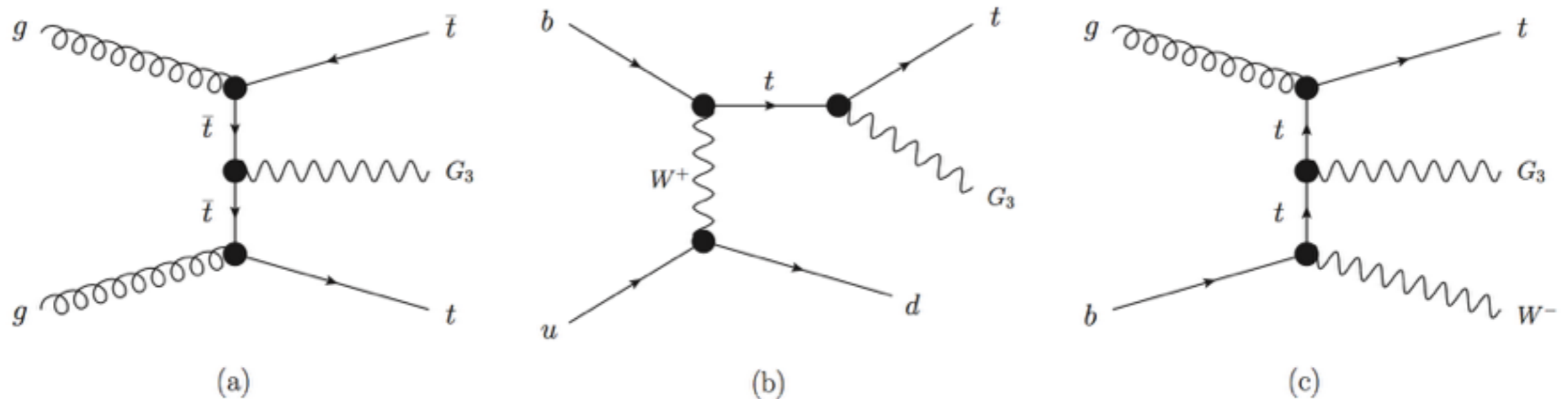
$\theta = \pi/4$
 $C_L = C_R$
 'vectorlike'

LHC Run-2 expectation for $t+tbar$

$C_t=1$



Tree level production channels

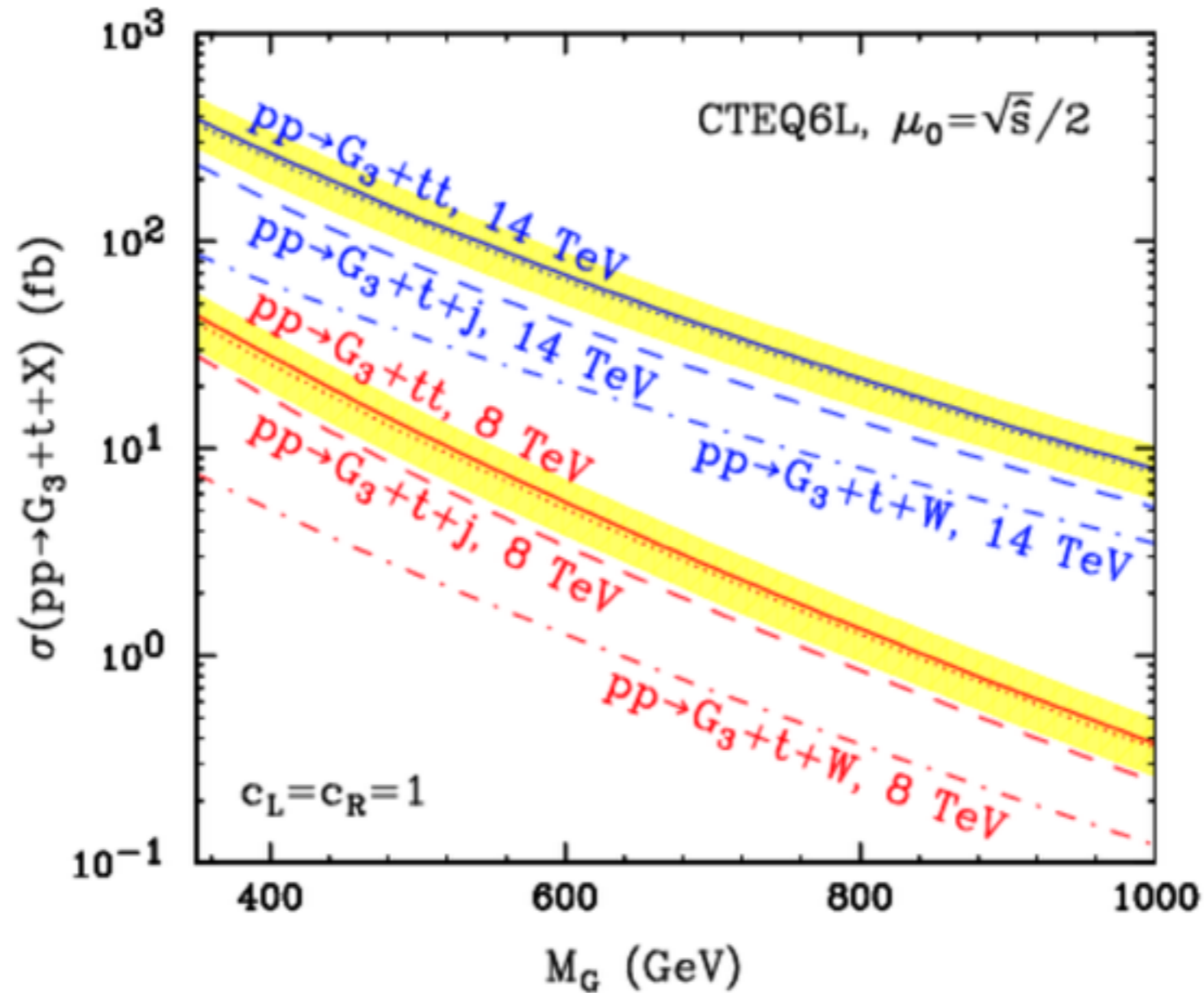


G3 t t

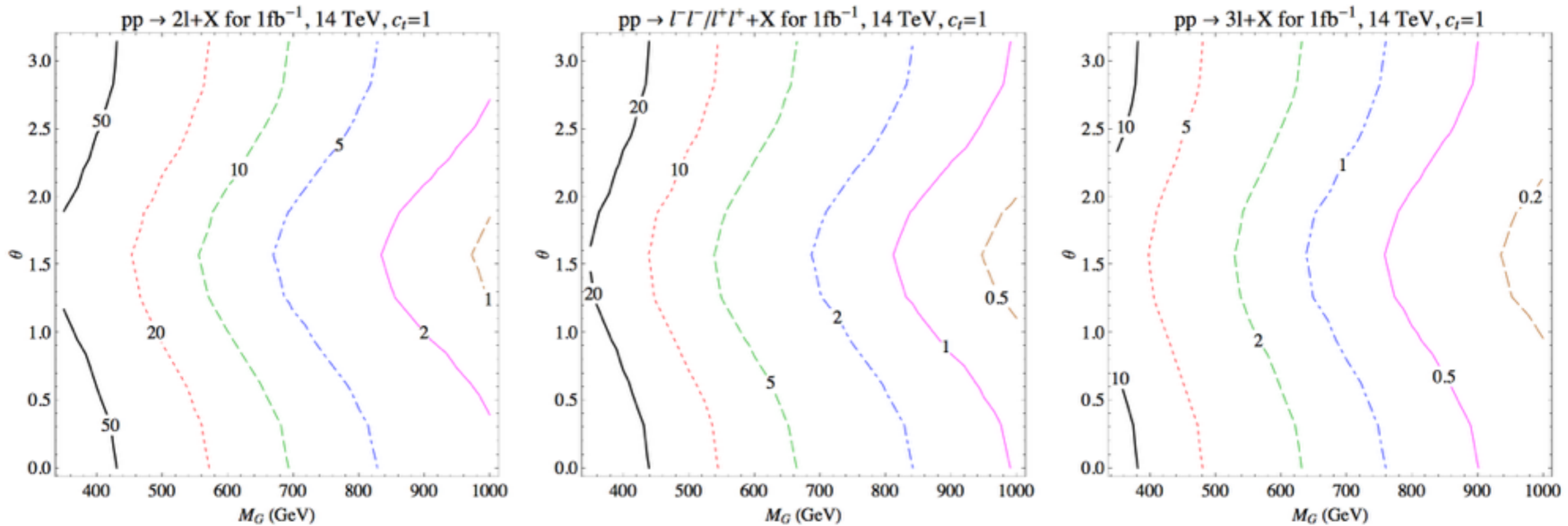
G3 t j

G3 t W

Cross sections



Expected # of events with leptonic final states



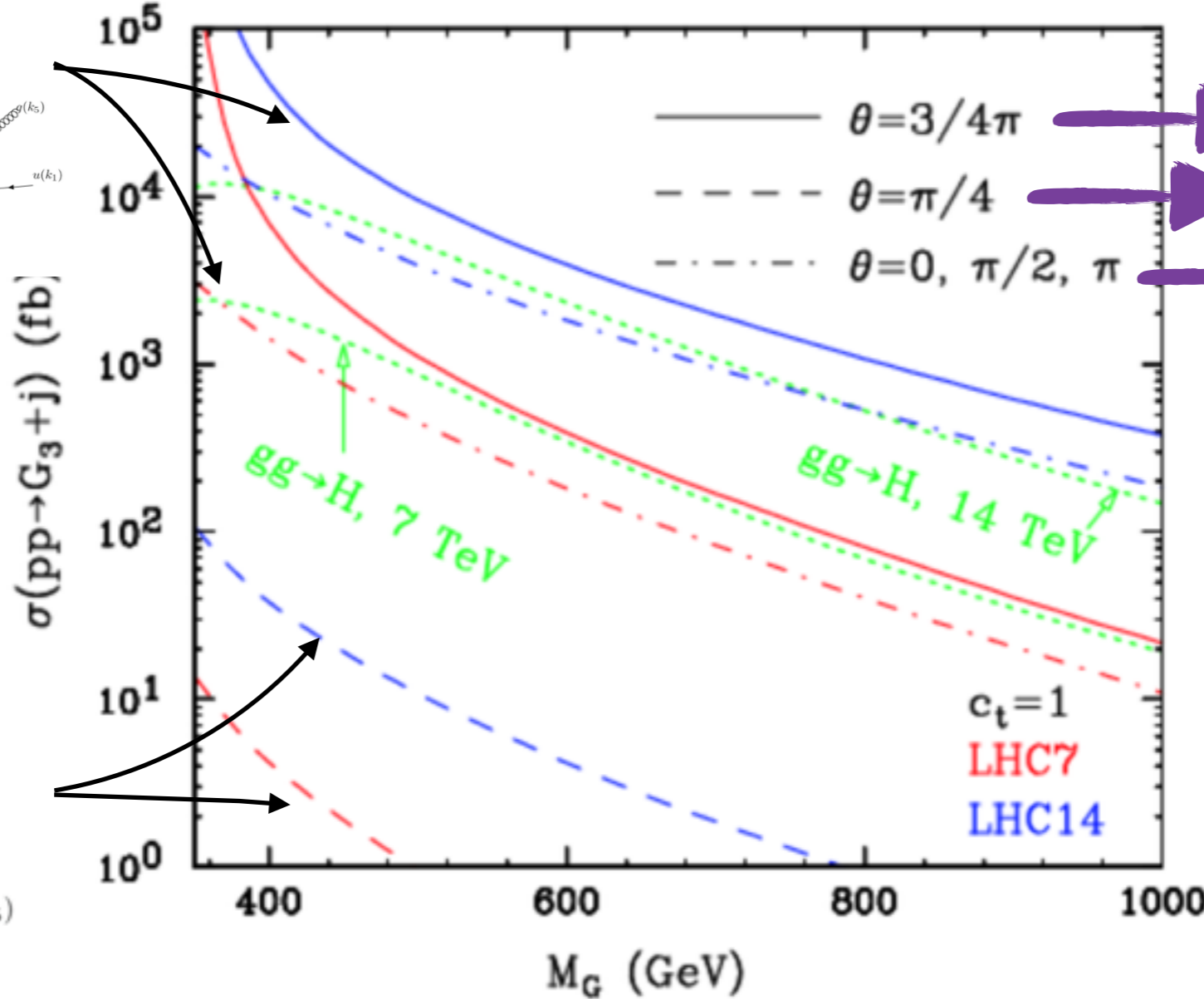
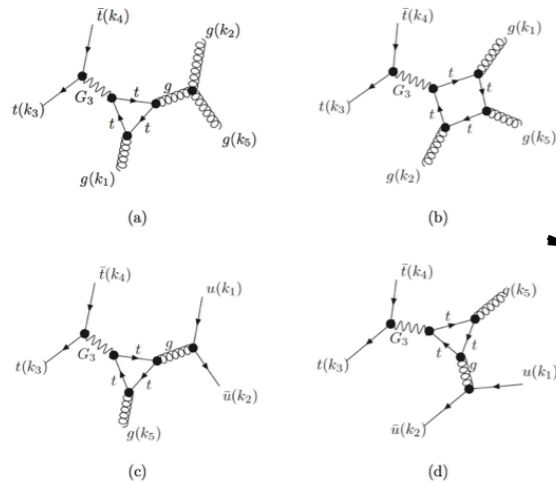
di-leptons +X

same-sign di-leptons +X

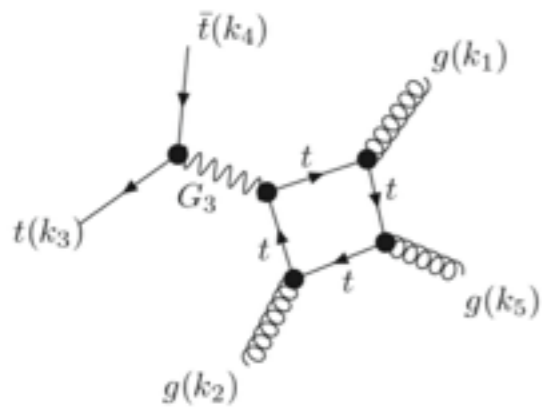
tri-leptons+X

Cross sections: $G_3 + \text{jet}$

$p_{T,j} > 25 \text{ GeV}, |\eta_j| < 2.5, R = 0.4$



at furry limit



summary of Part-1

- We found several production mechanisms for TRP (tree as well as loop-level), which sometimes turned out to be much larger than what we naïvely expected! Here chirality structure plays important roles.
- $G3+tt$ (or 4 tops), $G3+j$ (or t t bar jet), $G3+t+W$ (or $3t+W$) are $\sim(1-1000)$ fb cross sections for <1 TeV mass, which may be seen at LHC Run-2!
- We are now working with [our experimentalist friends for the LHC run-2. Stay tuned!](#)

'Observation'

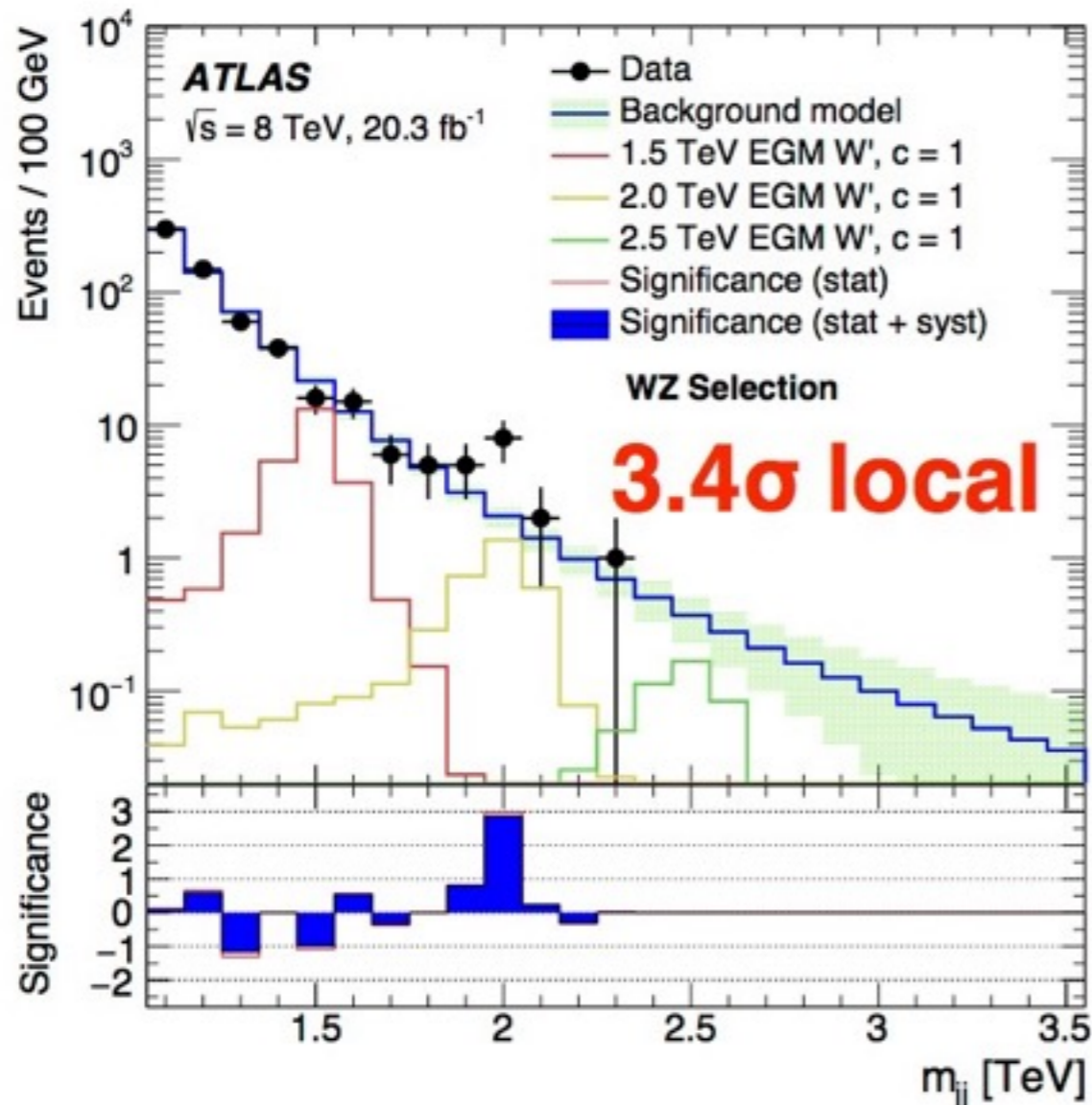
Part 2

Diboson resonances at the LHC
and EFT approach

this is how I
understand

Doojin Kim, Kyoungchul Kong, Hyun Min Lee, [SCP](#)
JHEP 1511 (2015) 150

ATLAS recently reported diboson resonance in WZ

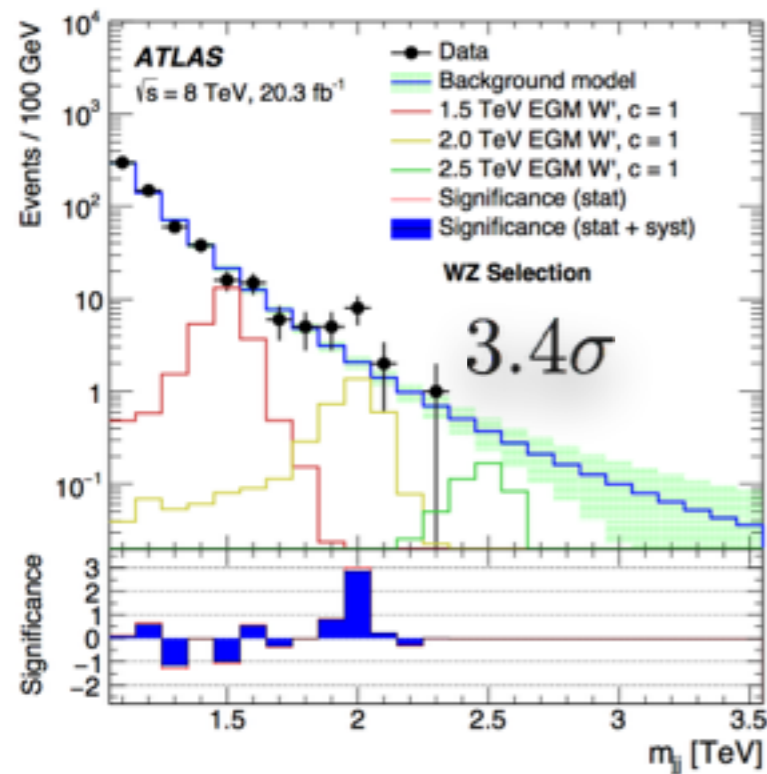


ATLAS collaboration arXiv:1506.00962

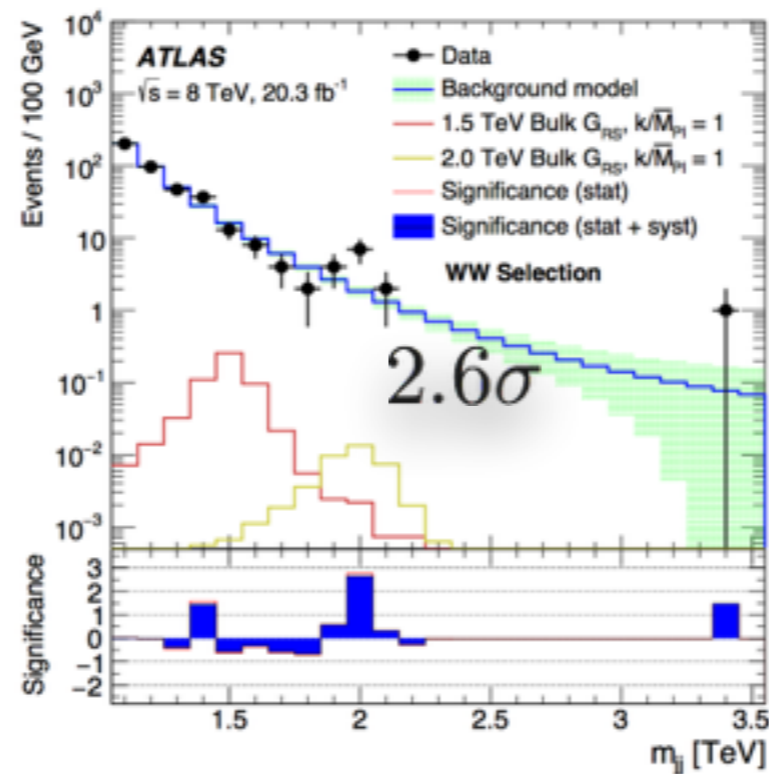
- hadronic decay of W, Z are considered. W&Z are boosted and tagged as “**fat-Jets**”
- “jet substructure technique” used to reduce background.
- still there are uncertainties in identifying W and Z

Not only in WZ but in WW, ZZ, too

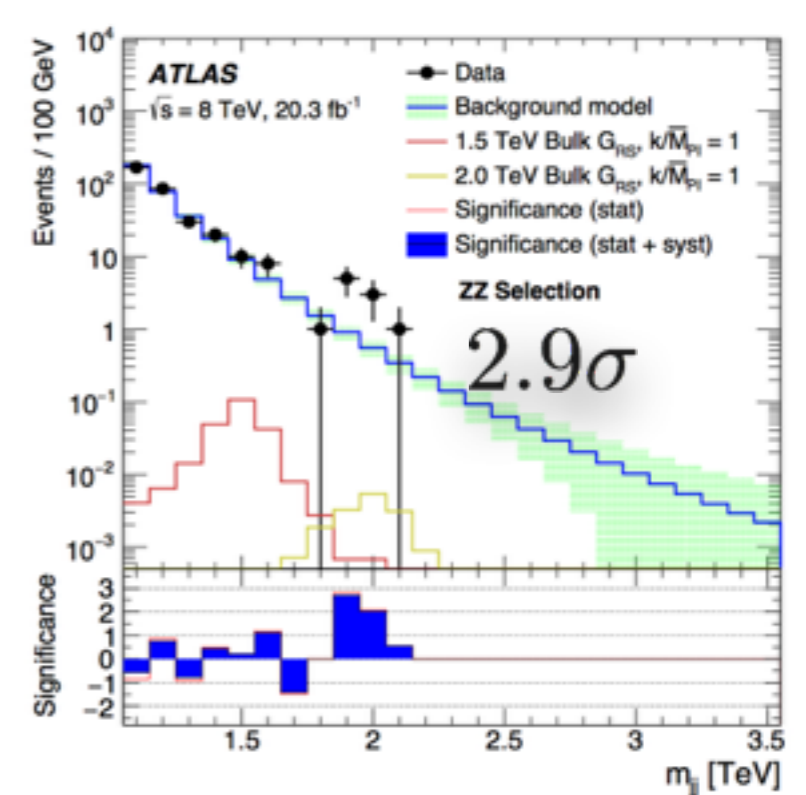
ATLAS collaboration arXiv:1506.00962



(a)



(b)



(c)

overall significance is < 3 sigma

but they are all at the same energy!

A mail from CMS

Hello,

Congratulations on an interesting paper "ATLAS Diboson Excesses Demystified in Effective Field Theory Approach". We at CMS would like to bring your attention to two other papers published over one year ago that address the same final state as the ATLAS $X \rightarrow VV$ all hadronic channel. In fact, **in our all-hadronic channel we also see a moderate excess at the same position.** We would appreciate a proper scientific treatment where you could address our results in the paper and citation. In fact this will strengthen the scientific case for your paper, since there is more evidence in favor of an excess.

The published papers are :

<http://inspirehep.net/record/1294937>

<http://inspirehep.net/record/1296080>

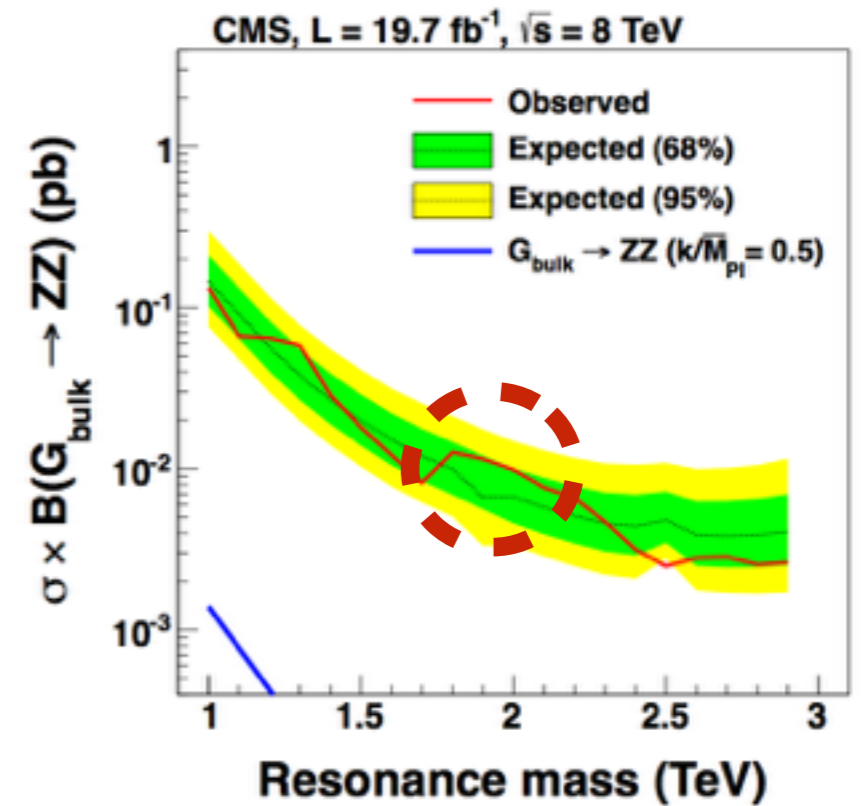
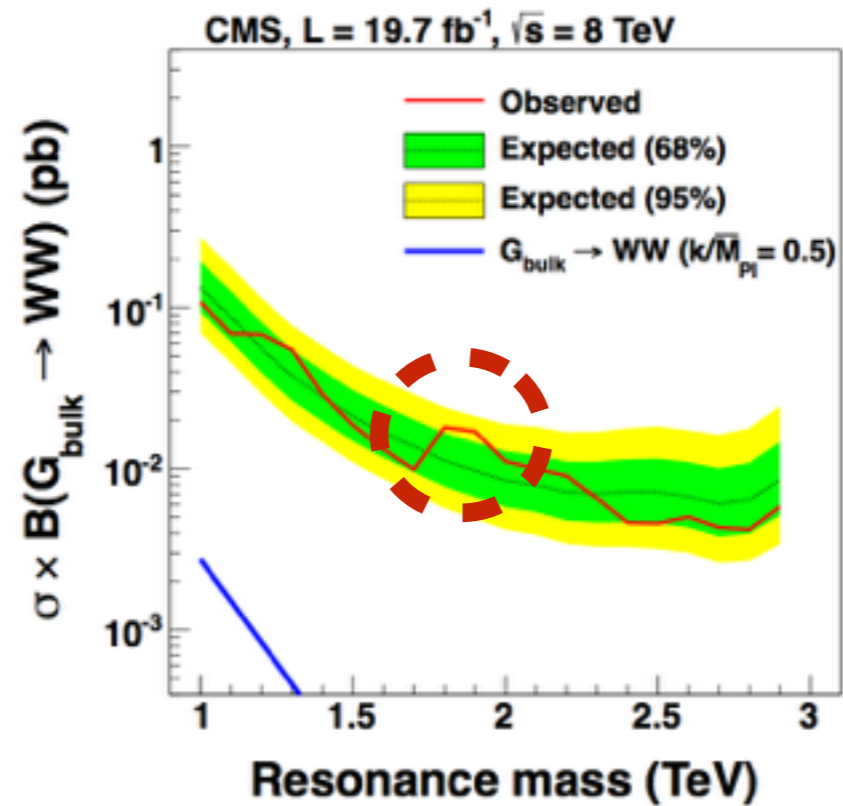
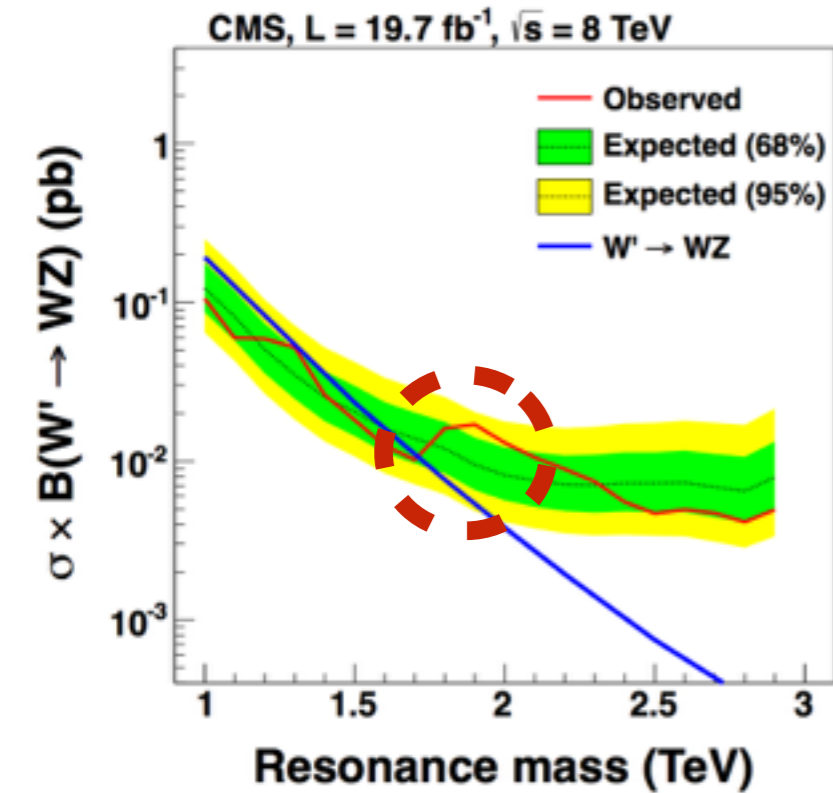
Many thanks for your consideration in this matter.

Sincerely,

Salvatore Rappoccio for the CMS Collaboration

Well, they are indeed 'visible'
even though they are not significant...

CMS 1405.1994



CMS ‘excesses’

summarized by [Dobrescu, Liu 1506.06736]

the global significance is 2.5σ . A CMS search [2] for JJ resonances, without distinguishing between the W - and Z -tagged jets, has a 1.4σ excess at ~ 1.9 TeV.

CMS 1405.1994

2) a 2.8σ excess in the 1.8 – 2.2 TeV bin in the CMS search [3] for a W' and a heavy “right-handed” neutrino, N_R , through the $W' \rightarrow N_R e \rightarrow eejj$ process.

CMS
1407.3683

3) a 2.2σ excess in the 1.8 – 1.9 TeV bin in the CMS search [4] for $W' \rightarrow Wh^0$, where the SM Higgs boson, h^0 , is highly boosted and decays into $b\bar{b}$, while $W \rightarrow \ell\nu$.

CMS
PAS-EXO-14-010

4) a $\sim 2\sigma$ excess at ~ 1.8 TeV in the CMS dijet resonance search [5]. The ATLAS search [6] in the same channel has yielded only a 1σ excess at 1.8 TeV.

CMS 1501.04198

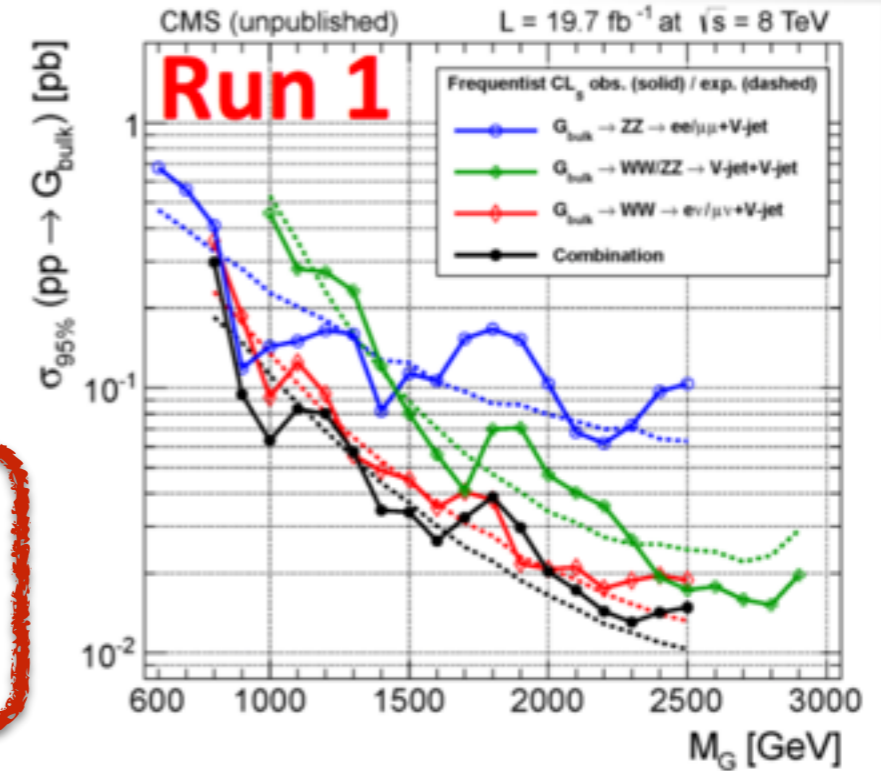
ATLAS 1407.1376

**In short,
not only ATLAS but also CMS
saw the similar excesses
all at the same energy ~ 2 TeV!**

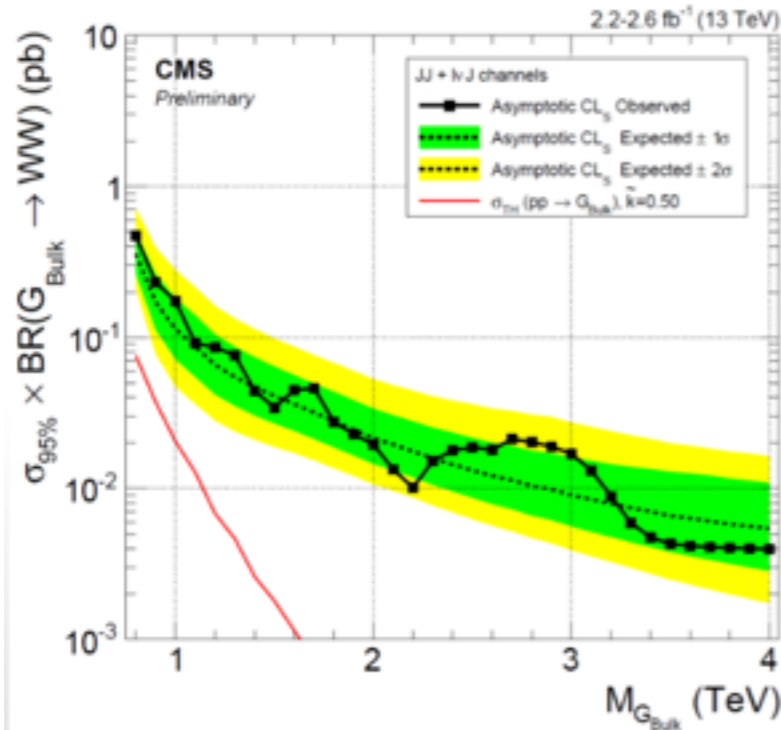
**We want to understand
this 2 TeV ‘diboson’ resonance
in EFT approach**

Search for diboson resonances

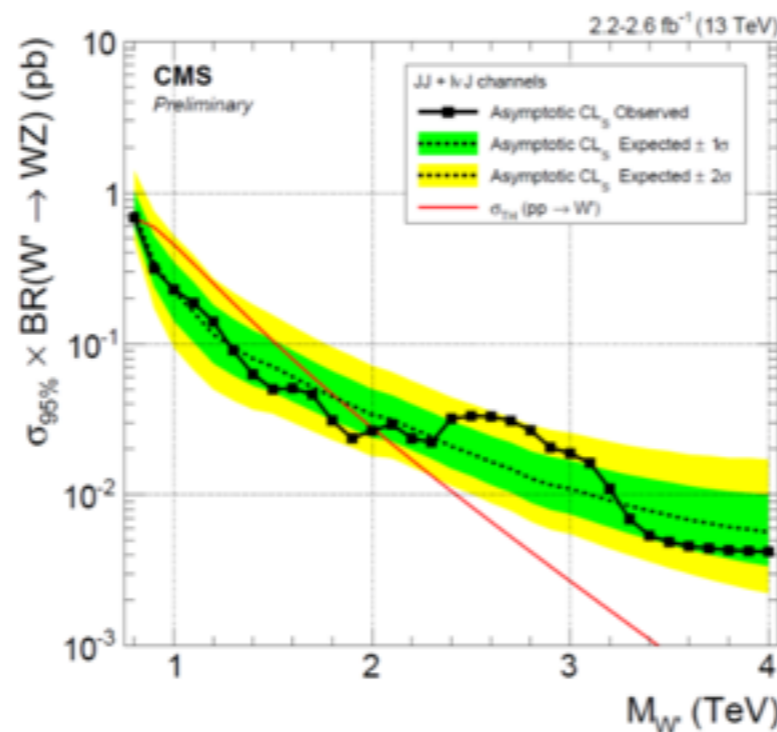
- **Run 1: CMS $\sim 2\sigma$ excess near 1.8-2.0 TeV**
- Repeat search at 13 TeV using most sensitive channels: lvJ, JJ
- **Analysis categorized in dijet mass** for optimal sensitivity to WW, WZ, ZZ signals
- **13 TeV: no excess observed in the region of interest near 2 TeV**
 - More data needed to fully exclude Run 1 excess



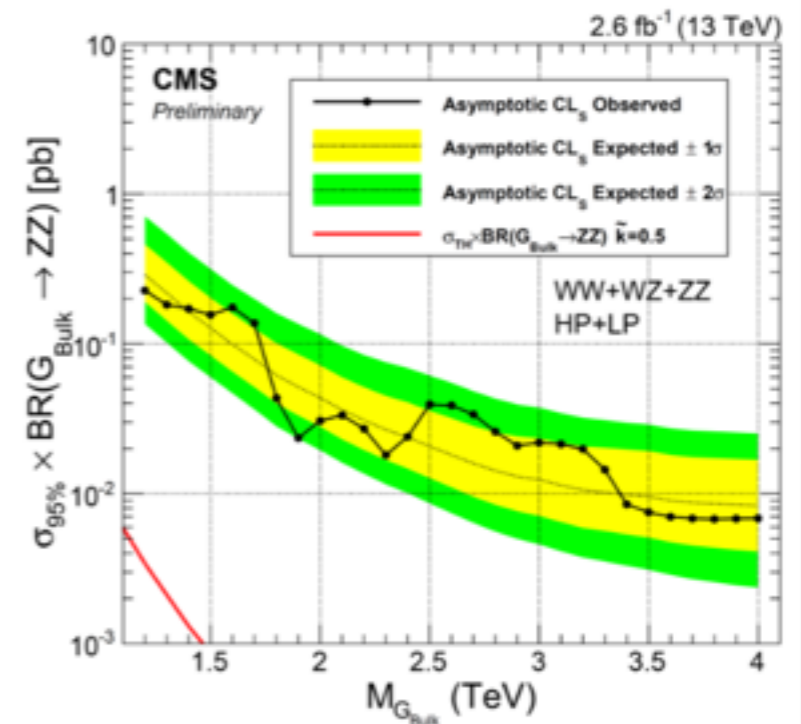
$G_{Bulk} \rightarrow WW (lvJ+JJ)$



$W' \rightarrow WZ (lvJ+JJ)$



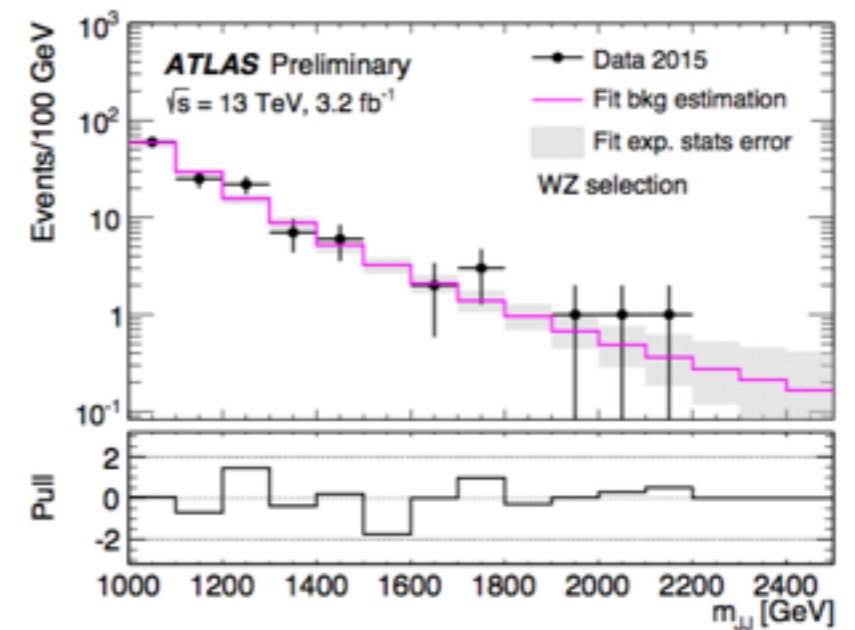
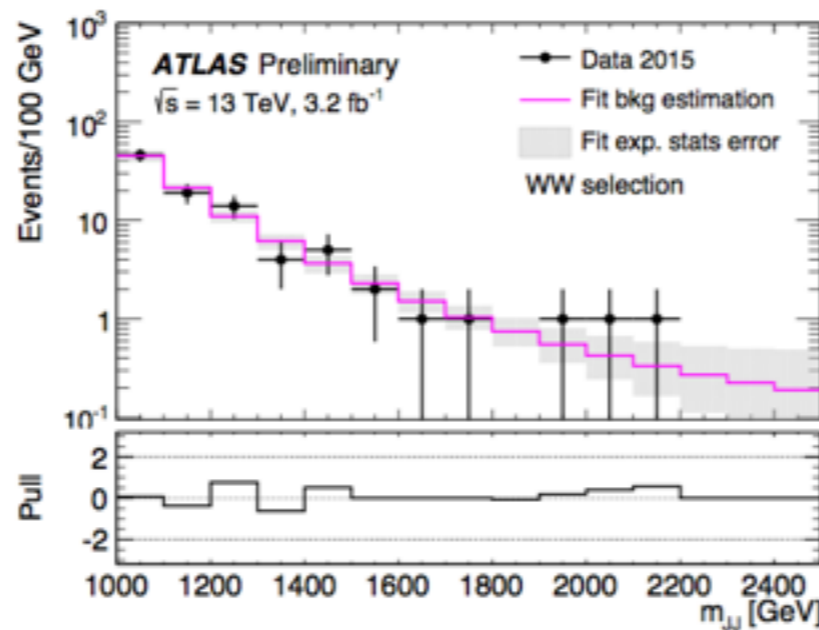
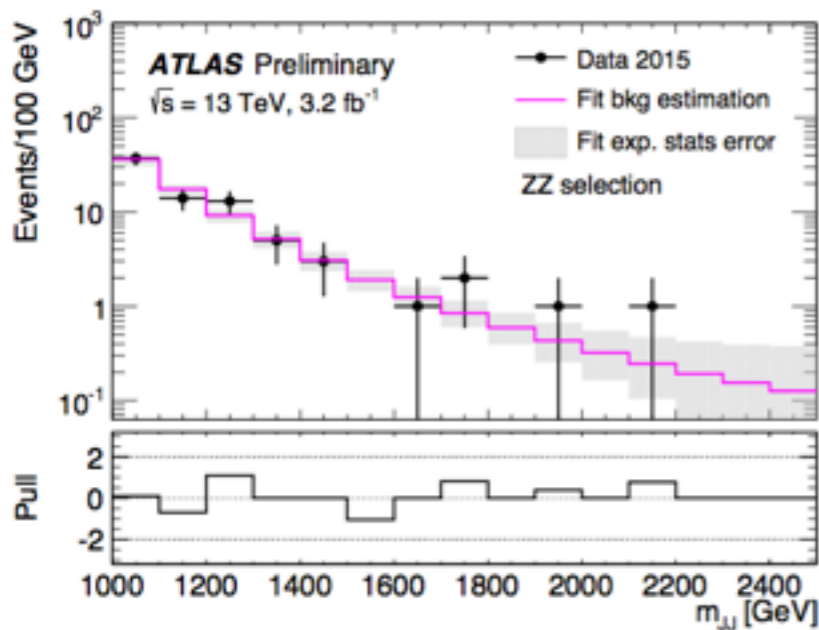
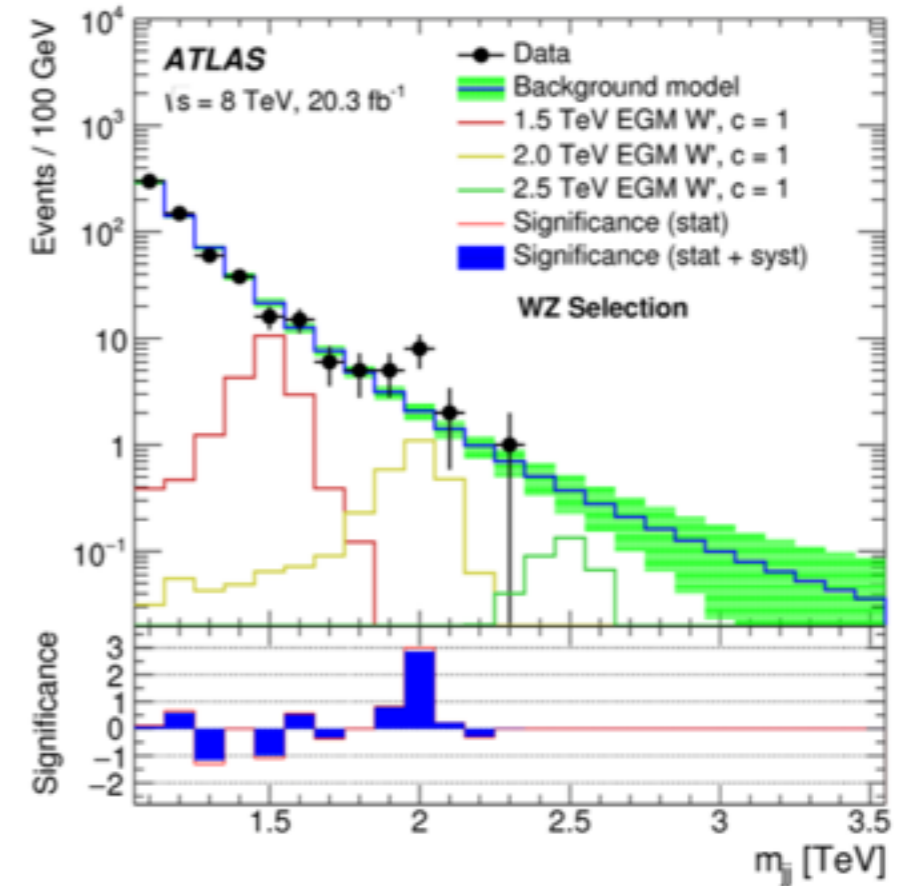
$G_{Bulk} \rightarrow ZZ (JJ)$



Fully Hadronic JJ Diboson searches

- Modest excess at Run-1: 3.4σ local / 2.5σ global
- Analysis very similar to Run 1, with functional fit of the background
- **No significant excess is observed** however sensitivity not high enough for conclusive probe of the Run 1 excess

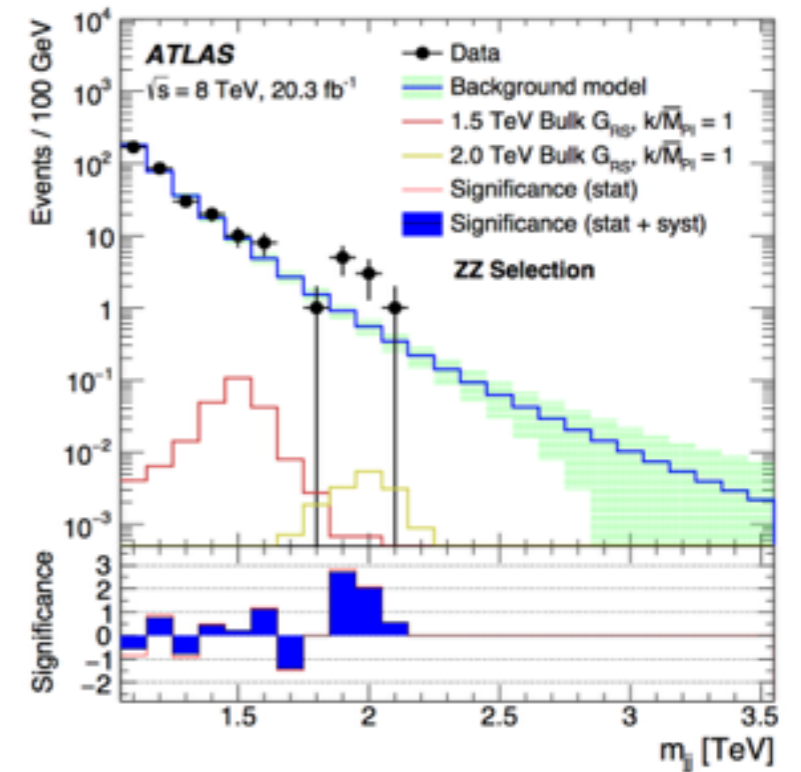
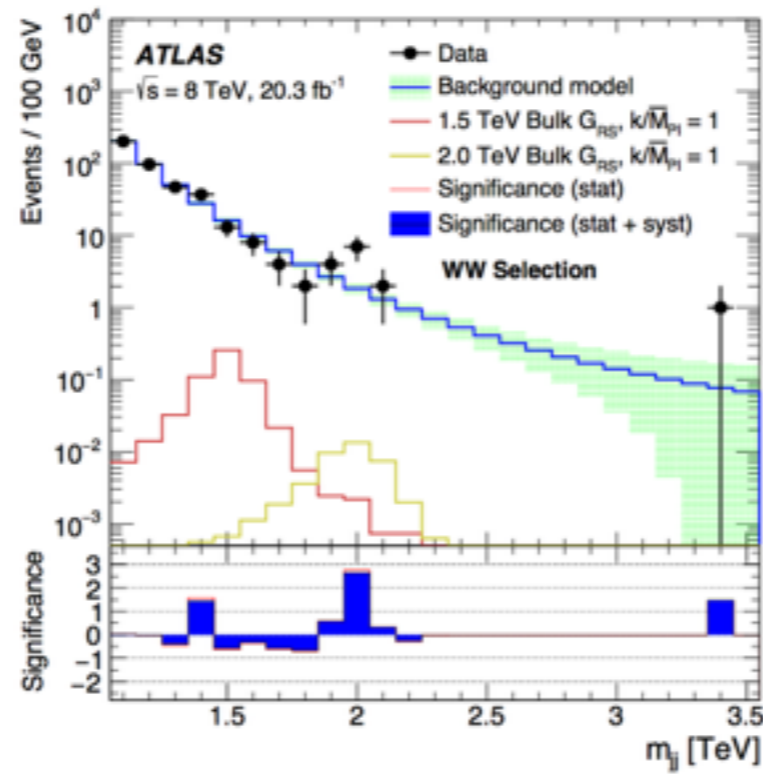
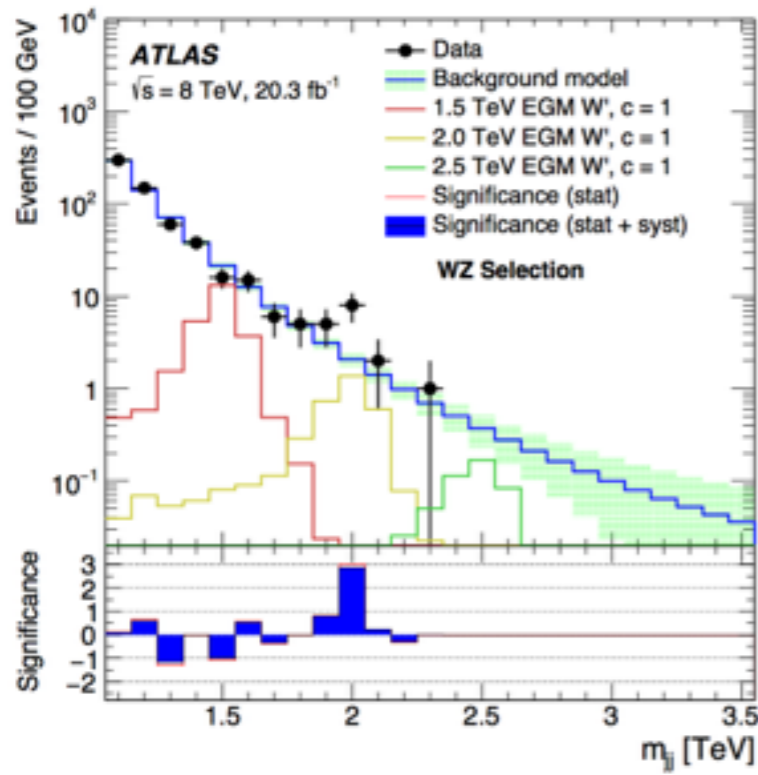
Run-1



my interpretation

- Run-1 result for 2 TeV diboson resonance is not confirmed by Run-2 data.
- but it is premature to exclude it and we need more data!
- so, I reserve my conclusion for the future.

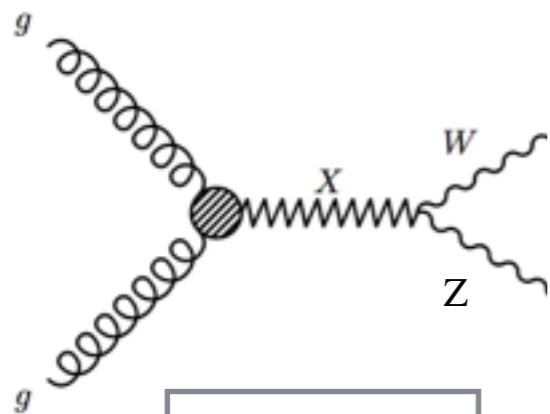
Q. One or Two (or Three?)



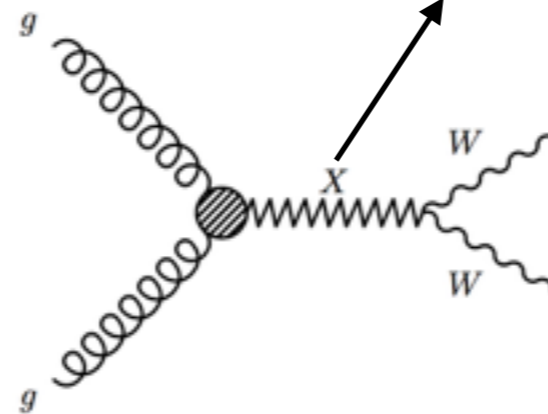
(a)

(b)

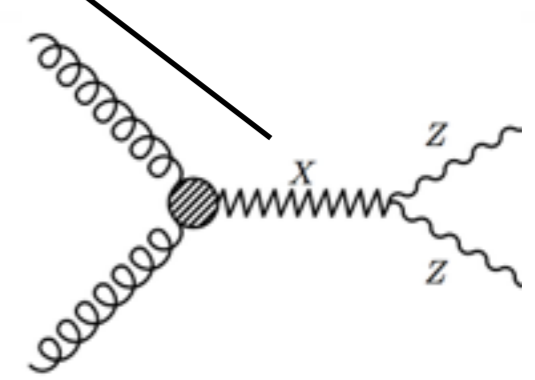
(c)



X=charged



X=neutral



same?

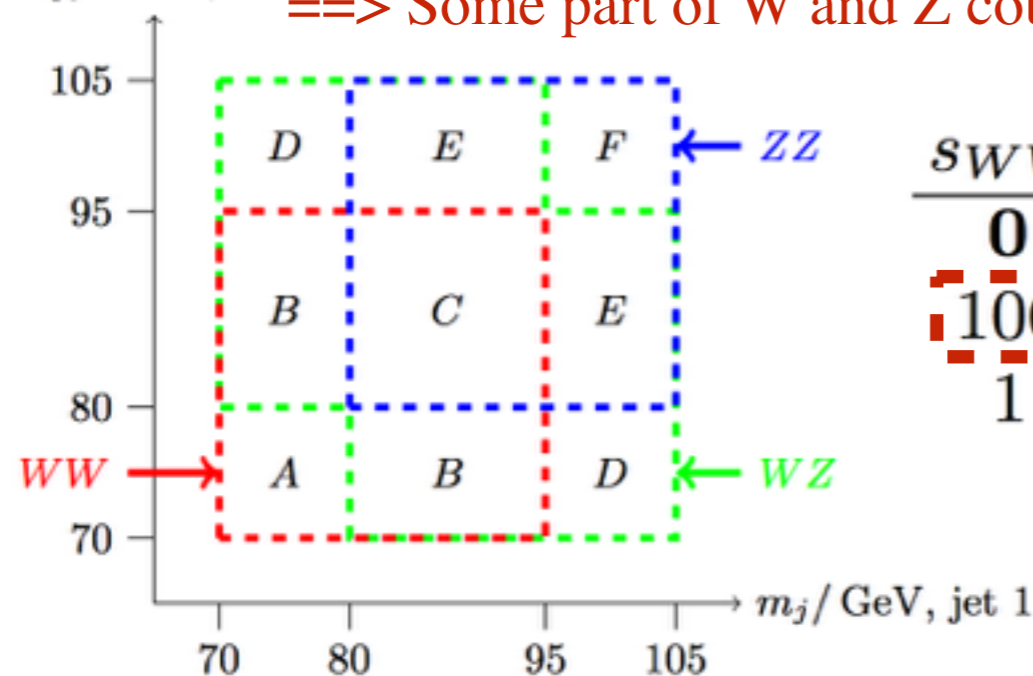
different?

Maybe one [Allanach et al, 1507.01638]

The likelihood analysis for ZZ, WW and WZ performed.

20% of the events in at least one signal region (C) belong to all three categories

$m_j / \text{GeV}, \text{jet } 2$ \implies Some part of W and Z could be misidentified!



s_{WW}	s_{WZ}	s_{ZZ}	μ_{WW}	μ_{WZ}	μ_{ZZ}	$\Delta\chi^2$
0	119	86	12.0	16.1	8.2	0.4
106	0	118	13.0	16.2	8.1	0.0
1	223	0	13.0	16.6	7.4	0.8

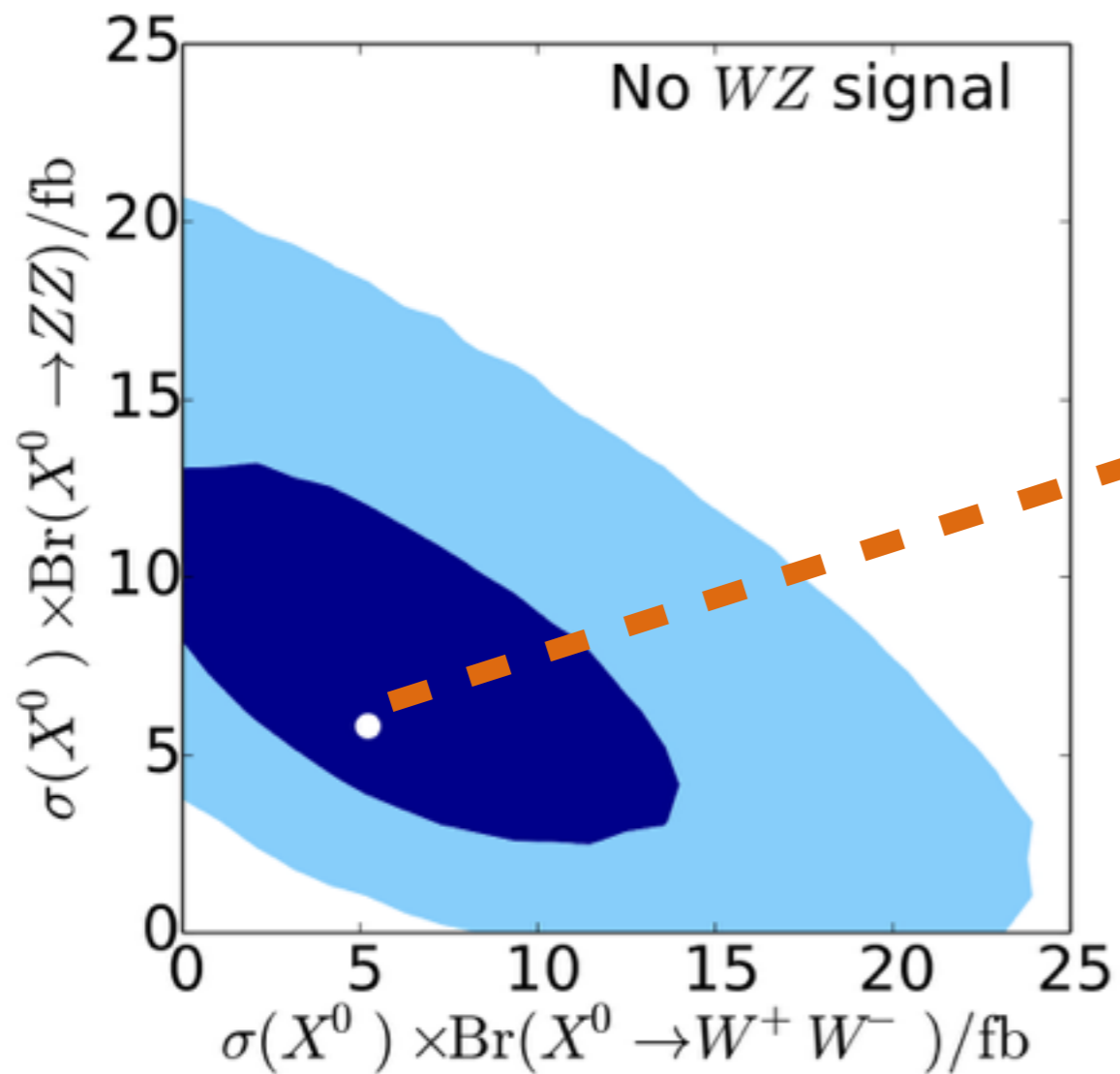
! 'best fit'

LESSON:

The best fit suggests that WZ may be just mis-identified WW or ZZ!

'best fit' with a single resonance

[Allanach et al, 1507.01638]



'best fit': WZ~0fb, ZZ~6 fb, WW~5 fb
95% limits: WW+ZZ ~ 4-24 fb

Limits from other searches

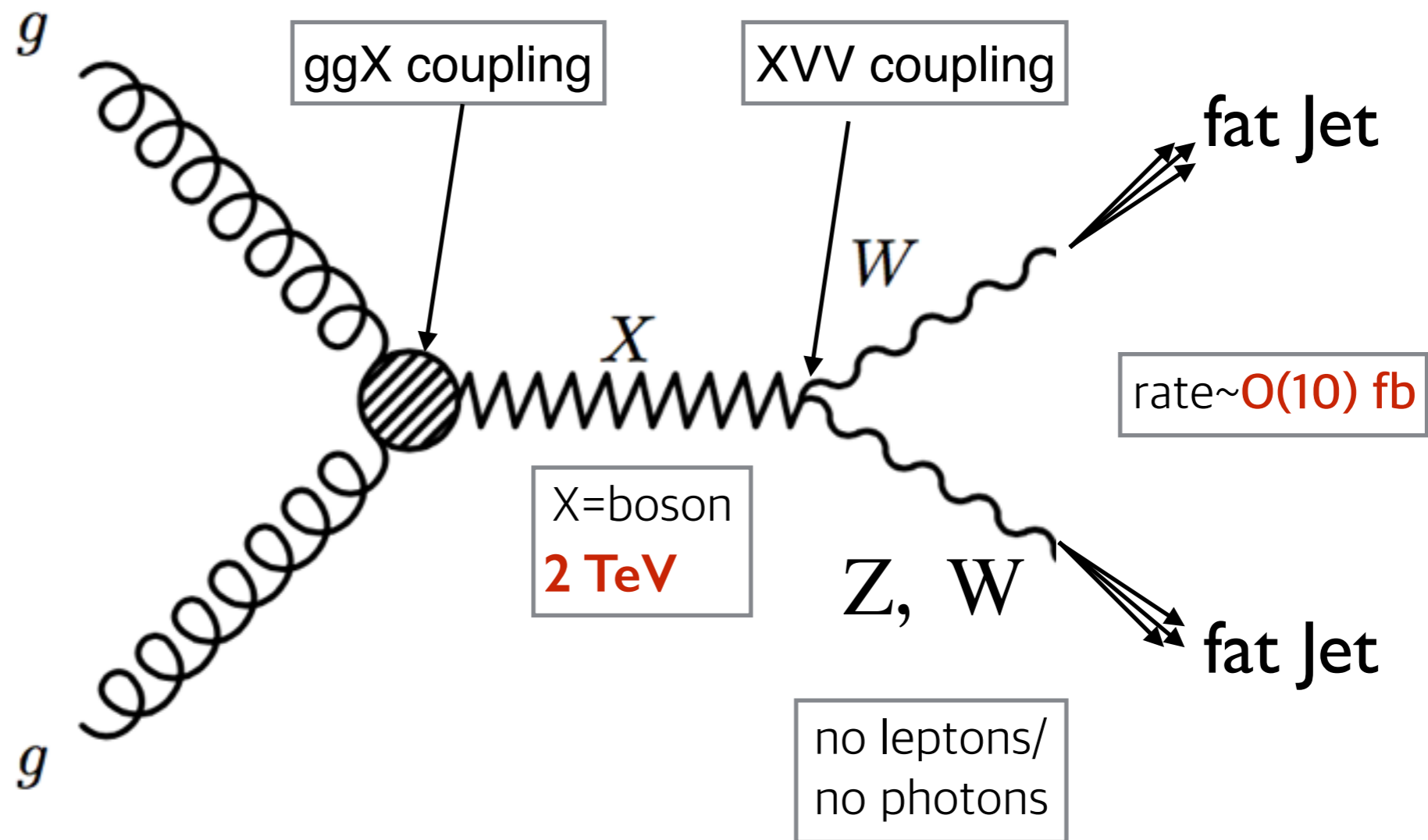
[Carmona, Delgado, Quiros, Santiago 1507.01914]

Channel			Process	1.8 TeV	1.9 TeV	2.0 TeV
ATLAS	$l\nu jj$	[9]	$pp \rightarrow W' \rightarrow WZ$	13 fb	12 fb	10 fb
CMS	$l\nu jj$	[10]	$pp \rightarrow G^* \rightarrow WW$	6 fb	4 fb	3 fb
ATLAS	$lljj$	[11]	$pp \rightarrow W' \rightarrow WZ$	14 fb	20 fb	20 fb
ATLAS	$lljj$	[11]	$pp \rightarrow G^* \rightarrow ZZ$	6 fb	7 fb	7 fb
CMS	$lljj$	[10]	$pp \rightarrow G^* \rightarrow ZZ$	14 fb	12 fb	8 fb
ATLAS	$3l\nu$	[12]	$pp \rightarrow W' \rightarrow WZ$	21 fb	22 fb	21 fb
CMS	$3l\nu$	[13]	$pp \rightarrow W' \rightarrow WZ$	27 fb	20 fb	20 fb
ATLAS	ZH	[14]	$pp \rightarrow Z' \rightarrow ZH$	14 fb	16 fb	—
ATLAS	WH	[14]	$pp \rightarrow W' \rightarrow WH$	31 fb	37 fb	—
CMS	ZH	[15]	$pp \rightarrow Z' \rightarrow ZH$	13 fb	9 fb	7 fb
CMS	WH	[15]	$pp \rightarrow W' \rightarrow WH$	14 fb	9 fb	7 fb
ATLAS	ll	[16]	$pp \rightarrow Z' \rightarrow ll$	0.23 fb	0.22 fb	0.20 fb
ATLAS	$l\nu$	[17]	$pp \rightarrow W' \rightarrow l\nu$	0.54 fb	0.48 fb	0.44 fb
CMS	ll	[18]	$pp \rightarrow Z' \rightarrow ll$	0.24 fb	0.24 fb	0.24 fb
CMS	$l\nu$	[19]	$pp \rightarrow W' \rightarrow l\nu$	0.40 fb	0.34 fb	0.30 fb
ATLAS	$t\bar{t}$	[20]	$pp \rightarrow Z' \rightarrow t\bar{t}$	64 fb	60 fb	52 fb
CMS	$t\bar{t}$	[21]	$pp \rightarrow Z' \rightarrow t\bar{t}$	17 fb	14 fb	11 fb
ATLAS	dijets	[22]	$pp \rightarrow W' \rightarrow jj$	270 fb	184 fb	119 fb
CMS	dijets	[23]	$pp \rightarrow W' \rightarrow jj$	205 fb	155 fb	95 fb

leptophobic!
also
photophobic

Table 1: Summary of the relevant 95% C.L. observed bounds.

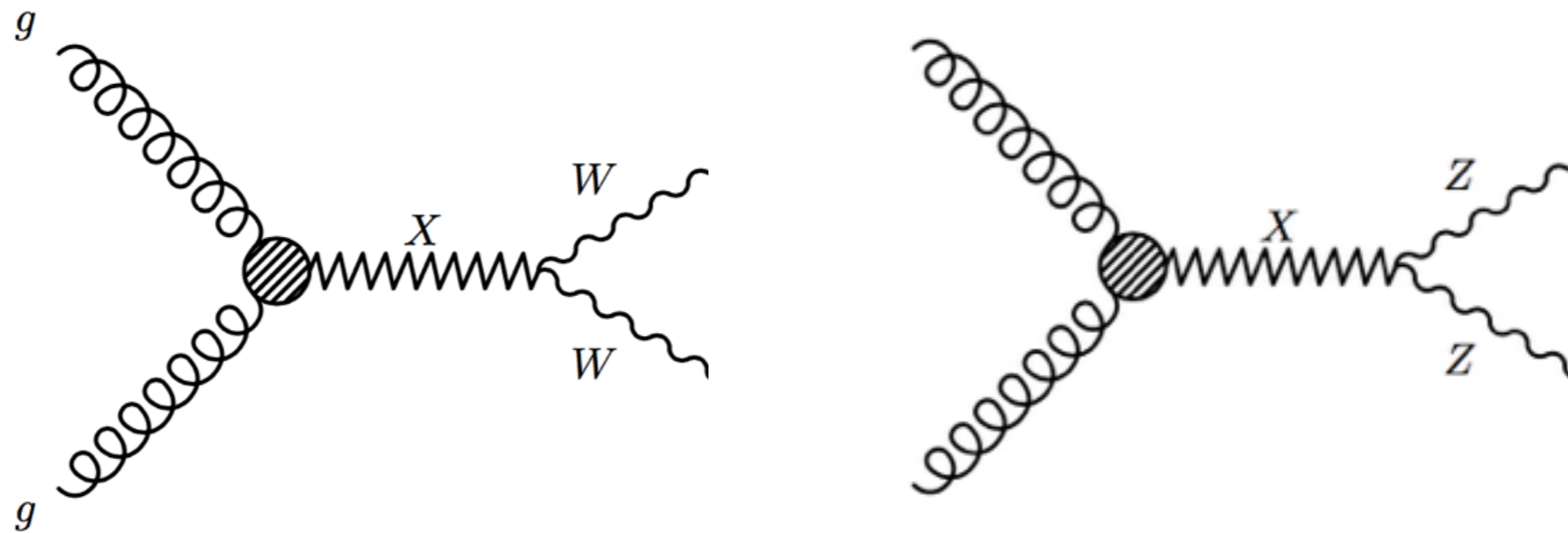
So, the minimum requirement for the ATLAS resonances is this



Our interpretation

- A single resonance is sufficient (WZ are mis-tagged fakes). We need to explain WW & ZZ via a neutral resonant state.
- Mass = 2 TeV
 - the total decay width $< 10\%$ of the mass of the resonance. (Thanks to Kingman, personal communication)
 - the signal production cross section \sim several fb
 - spin = 0 , 1 or 2 (or higher spin ?)
 - CP property is unknown
 - leptophobic, photophobic
- **$O(4-8) \text{ fb} < \sigma \times \text{BR}(ww) + \sigma \times \text{BR}(ZZ) < O(20-24) \text{ fb}$**

Our EFT approach



- Introduce **a minimal set** of effective operators which generate the absolutely necessary interactions
 - for production : $pp \rightarrow$ Resonance (gluon-gluon-R or q-q-R)
 - for decay : Resonance \rightarrow WW / ZZ
 - Resonance can be (S, A, V, PV, T, PT)

Scalar

CP even

$$\mathcal{L}_s = -\frac{1}{\Lambda} S \left(s_1 F_{\mu\nu}^Y F^{Y\mu\nu} + s_2 F_{\mu\nu}^W F^{W\mu\nu} + s_3 G_{\mu\nu}^a G^{a\mu\nu} \right)$$

$$\begin{aligned} s_3 &= 1 \\ \Lambda &\sim 10 \text{ TeV} \\ m_S &= 2 \text{ TeV} \end{aligned}$$

these are for decay

this is for production

CP odd

$$\mathcal{L}_a = -\frac{1}{\Lambda} A \left(a_1 F_{\mu\nu}^Y \tilde{F}^{Y\mu\nu} + a_2 F_{\mu\nu}^W \tilde{F}^{W\mu\nu} + a_3 G_{\mu\nu} \tilde{G}^{\mu\nu} \right)$$

Gauge invariance dictates the form of interactions

$$\mathcal{L}_s = -\frac{1}{\Lambda} S \left(s_1 F_{\mu\nu}^Y F^{Y\mu\nu} + s_2 F_{\mu\nu}^W F^{W\mu\nu} + s_3 G_{\mu\nu}^a G^{a\mu\nu} \right)$$



this should be small

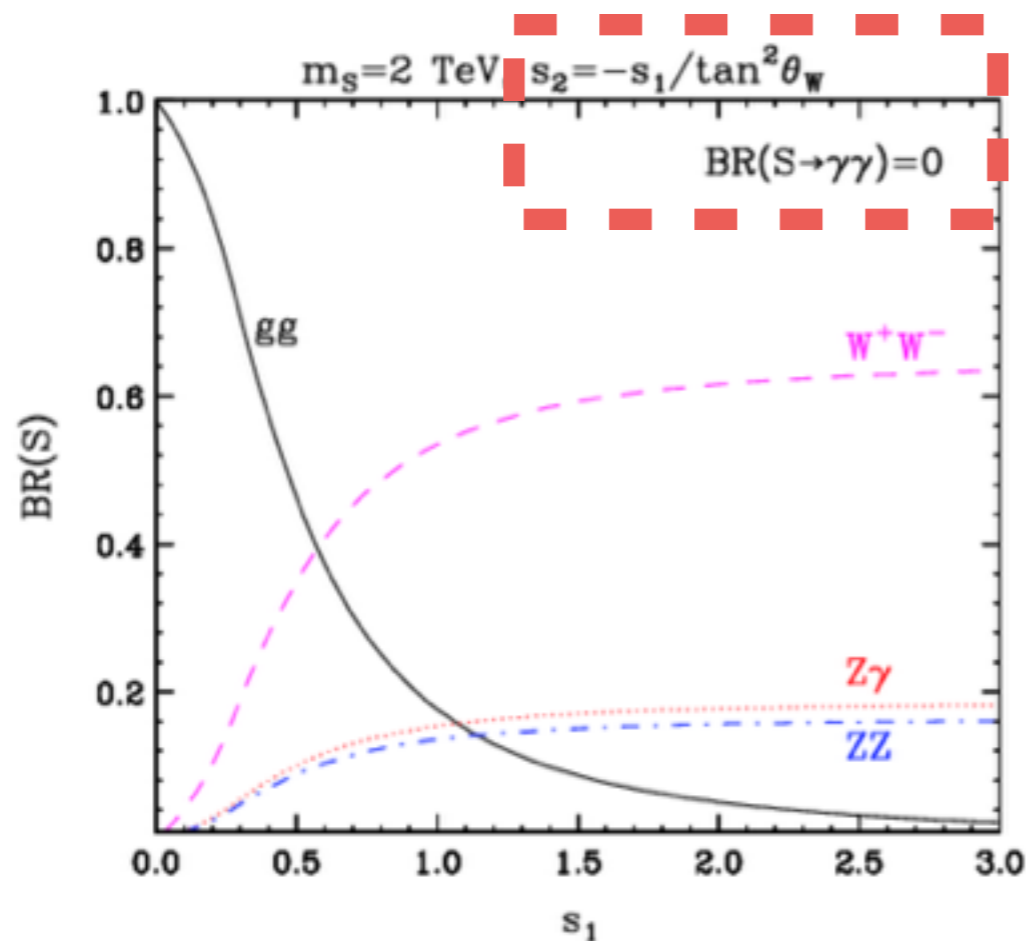
$$\begin{aligned} s_{\gamma\gamma} &= s_1 \cos^2 \theta_W + s_2 \sin^2 \theta_W, \\ s_{Z\gamma} &= (s_2 - s_1) \sin 2\theta_W, \\ s_{ZZ} &= s_2 \cos^2 \theta_W + s_1 \sin^2 \theta_W, \\ s_{WW} &= 2s_2, \\ s_{gg} &= s_3, \end{aligned}$$

$$\mathcal{L} = -\frac{S}{\Lambda} (s_{\gamma\gamma} A \cdot A + s_{Z\gamma} Z \cdot A + s_{ZZ} Z \cdot Z + s_{WW} W \cdot W + s_{gg} G \cdot G)$$

Partial decay width

$$\left\{ \begin{array}{l} \Gamma_S(\gamma\gamma) = \frac{|s_{\gamma\gamma}|^2 m_S^3}{4\pi\Lambda^2}, \\ \Gamma_S(Z\gamma) = \frac{|s_{Z\gamma}|^2 m_S^3}{8\pi\Lambda^2} (1 - x_Z^S)^3, \\ \Gamma_S(ZZ) = \frac{|s_{ZZ}|^2 m_S^3}{4\pi\Lambda^2} \sqrt{1 - 4x_Z^S} (1 - 4x_Z^S + 6(x_Z^S)^2), \\ \Gamma_S(W^+W^-) = \frac{|s_{WW}|^2 m_S^3}{8\pi\Lambda^2} \sqrt{1 - 4x_W^S} (1 - 4x_W^S + 6(x_W^S)^2), \\ \Gamma_S(gg) = \frac{2|s_{gg}|^2 m_S^3}{\pi\Lambda^2}, \end{array} \right.$$

$$\begin{array}{l} s_{\gamma\gamma} = s_1 \cos^2 \theta_W + s_2 \sin^2 \theta_W, \\ s_{Z\gamma} = (s_2 - s_1) \sin 2\theta_W, \\ s_{ZZ} = s_2 \cos^2 \theta_W + s_1 \sin^2 \theta_W, \\ s_{WW} = 2s_2 \\ s_{gg} = s_3, \end{array}$$



Photophobic decay

$$BR(W^+W^-) : BR(ZZ) : BR(Z\gamma) : BR(gg) \\ \approx \frac{|s_1|^2}{4 \tan^4 \theta_W} : \frac{|s_1|^2 \cos^2 2\theta_W}{8 \sin^4 \theta_W} : \frac{|s_1|^2}{4 \tan^2 \theta_W} : 1.$$

Vector (model dependent)

$$\mathcal{L}_{D4} = -g_X Z'_\mu \bar{q} \gamma^\mu (c_L P_L + c_R P_R) q - \frac{1}{2} \epsilon F_{\mu\nu}^Y F^{X\mu\nu} - \left(i\eta D^\mu a_X (H^\dagger D_\mu H) + \text{c.c.} \right)$$

$$\begin{aligned} \mathcal{L}_{\text{CP-even}} = & \kappa_1 \epsilon^{\mu\nu\rho\sigma} Z'_\mu Z_\nu F_{\rho\sigma} + \hat{\kappa}_1 \epsilon^{\mu\nu\rho\sigma} Z'_\mu Z_\nu (\partial_\rho Z_\sigma - \partial_\sigma Z_\rho) \\ & + \left(\kappa_2 \epsilon^{\mu\nu\rho\sigma} Z'_\mu W_\nu^- (\partial_\rho W_\sigma^+ - \partial_\sigma W_\rho^+) + i\hat{\kappa}_2 Z'^\mu W^{-\nu} (\partial_\mu W_\nu^+ - \partial_\nu W_\mu^+) + \text{c.c.} \right) \\ & + \frac{\kappa_3}{\Lambda} Z'^\mu \partial^\nu h F_{\mu\nu} + \frac{\hat{\kappa}_3}{\Lambda} Z'^\mu \partial^\nu h (\partial_\mu Z_\nu - \partial_\nu Z_\mu) \end{aligned} \quad ($$

$$\begin{aligned} \mathcal{L}_{\text{CP-odd}} = & \alpha_1 Z'^\mu Z^\nu F_{\mu\nu} + \hat{\alpha}_1 Z'^\mu Z^\nu (\partial_\mu Z_\nu - \partial_\nu Z_\mu) \\ & + \left(\alpha_2 Z'^\mu W^{-\nu} (\partial_\mu W_\nu^+ - \partial_\nu W_\mu^+) + i\hat{\alpha}_2 \epsilon^{\mu\nu\rho\sigma} Z'_\mu W_\nu^- (\partial_\rho W_\sigma^+ - \partial_\sigma W_\rho^+) + \text{c.c.} \right) \\ & + \frac{\alpha_3}{\Lambda} \epsilon^{\mu\nu\rho\sigma} Z'_\mu \partial_\nu h F_{\rho\sigma} + \frac{\hat{\alpha}_3}{\Lambda} \epsilon^{\mu\nu\rho\sigma} Z'_\mu \partial_\nu h (\partial_\rho Z_\sigma - \partial_\sigma Z_\rho), \end{aligned}$$

gauge invariance

$$\alpha_2 = \frac{m_W}{m_Z} \left(\alpha_1 \sin \theta_W + \hat{\alpha}_1 \cos \theta_W \right), \quad \hat{\alpha}_2 = -\frac{m_W}{\Lambda} \left(\alpha_3 \sin \theta_W + \hat{\alpha}_3 \cos \theta_W \right)$$

tensor CP-even

$$\mathcal{L}_{\text{CP-even}}^{\mathcal{G}} = \frac{1}{\Lambda} \mathcal{G}_{\mu\nu} T^{\mu\nu} \quad \Lambda \sim 10 \text{ TeV}$$

$$T_{\mu\nu} = c_1 F_{\mu\lambda}^Y F^{Y\lambda}{}_{\nu} + c_2 F_{\mu\lambda}^W F^{W\lambda}{}_{\nu} + c_3 G_{\mu\lambda} G^{\lambda}{}_{\nu}$$

(\sim energy momentum tensor)

gauge invariance:

$$c_{\gamma\gamma} = c_1 \cos^2 \theta_W + c_2 \sin^2 \theta_W$$

$$c_{Z\gamma} = (c_2 - c_1) \sin(2\theta_W)$$

$$c_{ZZ} = c_2 \cos^2 \theta_W + c_1 \sin^2 \theta_W$$

$$c_{WW} = 2c_2$$

$$c_{gg} = c_3,$$

Effective operator :CP odd tensor

$$\mathcal{L}_{\text{CP-odd}}^{\mathcal{G}} = \frac{1}{\Lambda} \mathcal{G}_{\mu\nu} \tilde{T}^{\mu\nu} \quad \Lambda \sim 10 \text{ TeV}$$

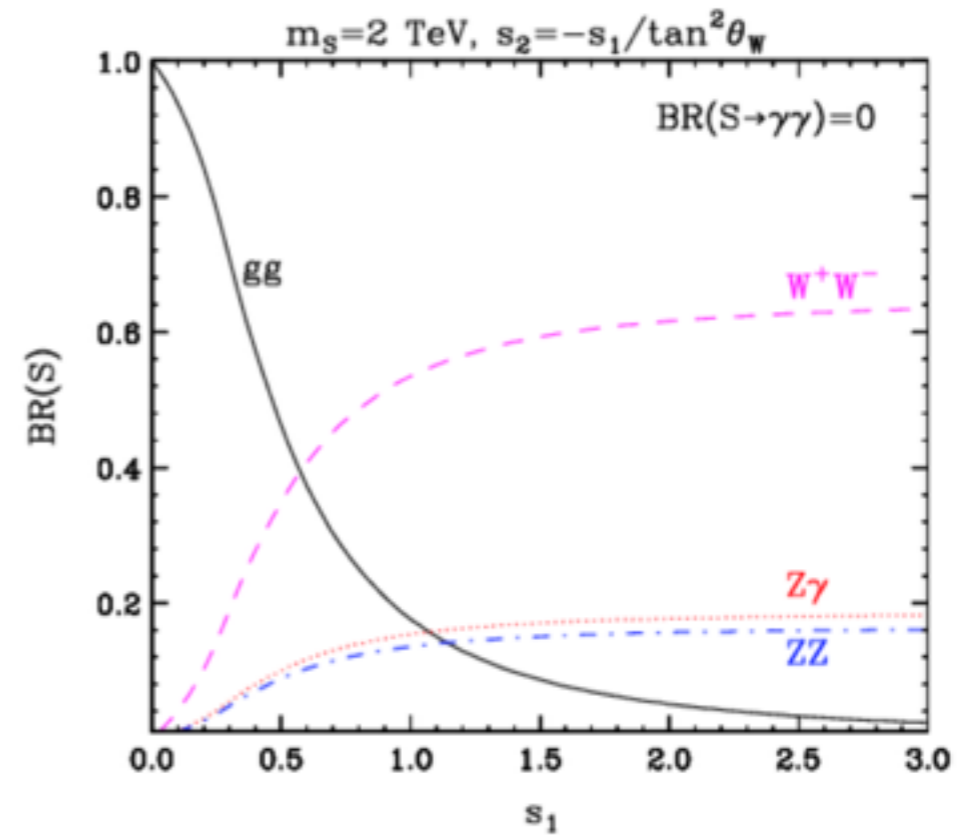
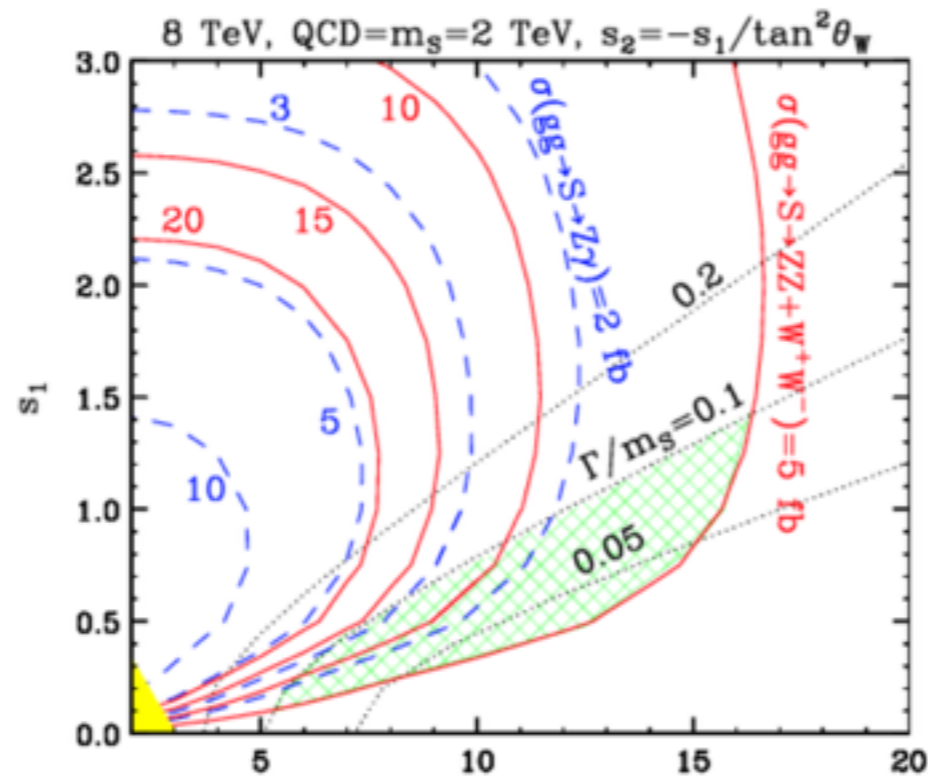
$$\begin{aligned} \tilde{T}_{1,\mu\nu} &= a_1 \epsilon_{\mu\lambda\rho\sigma} \partial^\lambda Z_\nu F^{\rho\sigma} + \hat{a}_1 \epsilon_{\mu\lambda\rho\sigma} \partial^\lambda Z_\nu (\partial^\rho Z^\sigma - \partial^\sigma Z^\rho) \\ &\quad + \left(a_2 \epsilon_{\mu\lambda\rho\sigma} \partial^\lambda W_\nu^- (\partial^\rho W^{\sigma+} - \partial^\sigma W^{\rho+}) + i \hat{a}_2 \partial^\lambda W_\nu^- (\partial_\mu W_\lambda^+ - \partial_\lambda W_\mu^+) + \text{c.c.} \right) \\ &\quad + \frac{a_3}{\Lambda} \partial^\lambda \partial_\nu h F_{\mu\lambda} + \frac{\hat{a}_3}{\Lambda} \partial^\lambda \partial_\nu h (\partial_\mu Z_\lambda - \partial_\lambda Z_\mu), \\ \tilde{T}_{2,\mu\nu} &= \frac{i}{2} a_q \bar{q} \gamma^5 (\gamma^\mu \partial^\nu + \gamma^\nu \partial^\mu) q - \frac{i}{2} a_q ((\partial^\mu \bar{q}) \gamma^5 \gamma^\nu + (\partial^\nu \bar{q}) \gamma^5 \gamma^\mu) q. \end{aligned}$$

gauge invariance

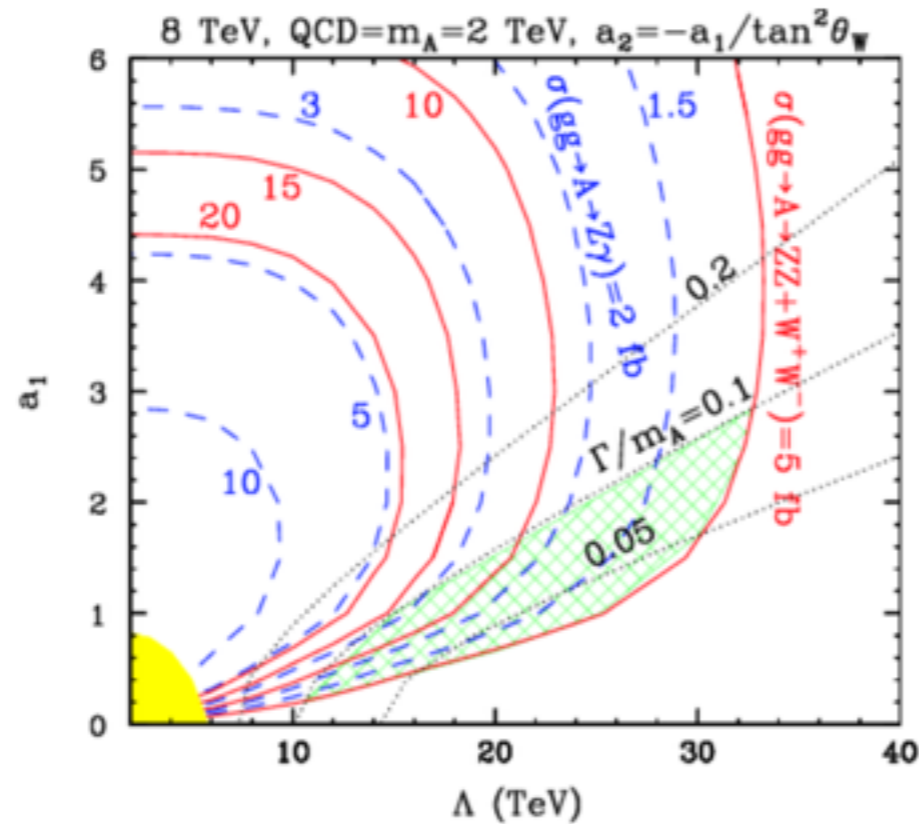
$$a_2 = \frac{m_W}{m_Z} \left(a_1 \sin \theta_W + \hat{a}_1 \cos \theta_W \right), \quad \hat{a}_2 = -\frac{m_W}{\Lambda} \left(a_3 \sin \theta_W + \hat{a}_3 \cos \theta_W \right).$$

Parameter space for scalar

CP even

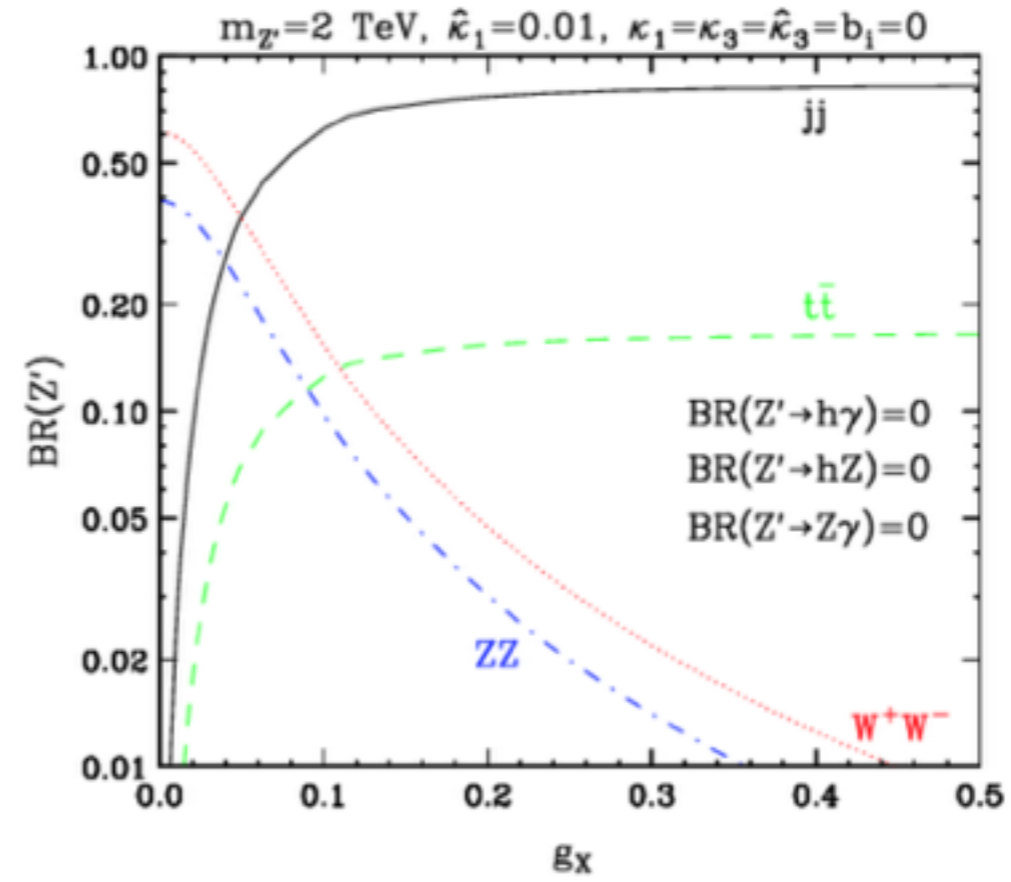


CP odd

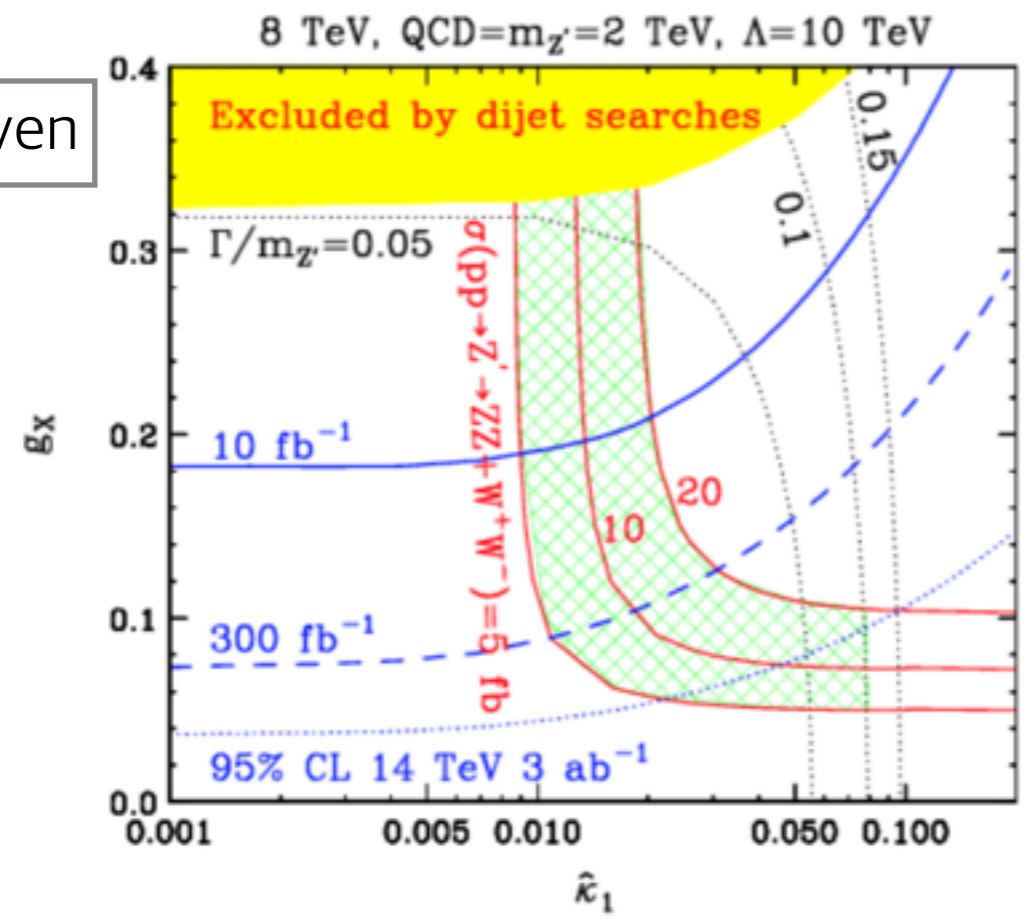


very similar

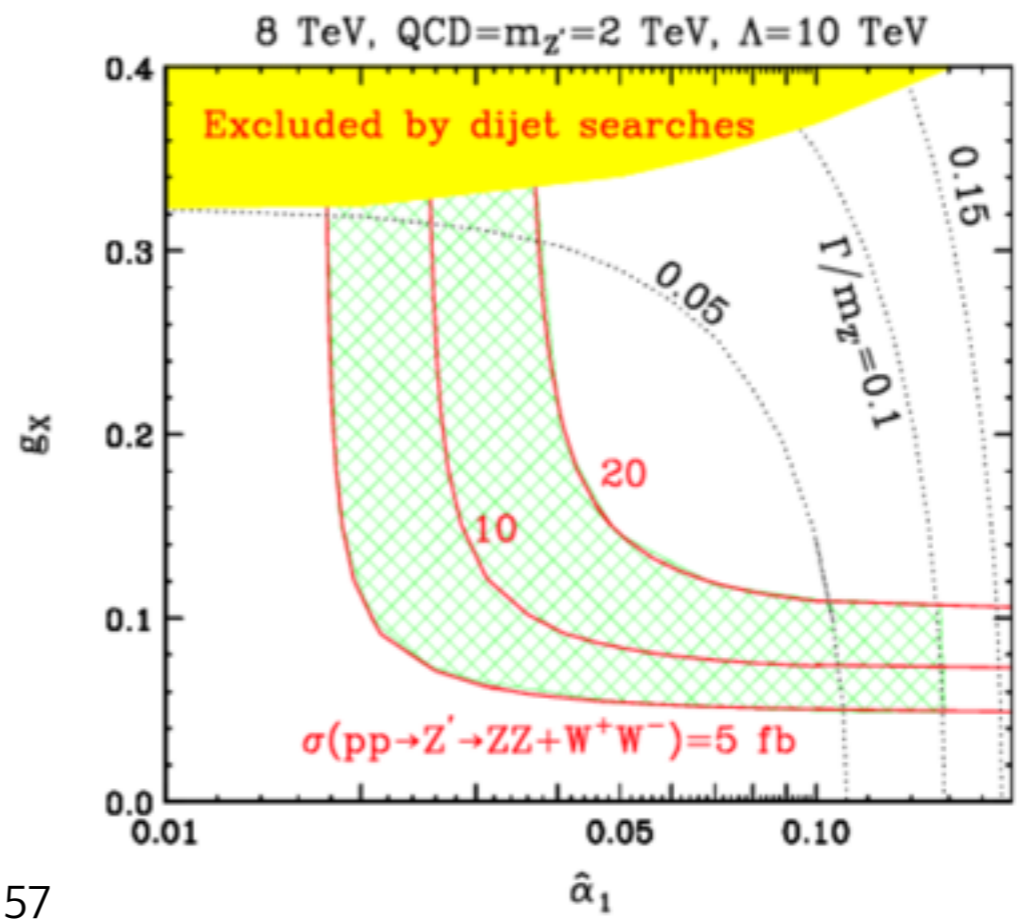
vector



CP even

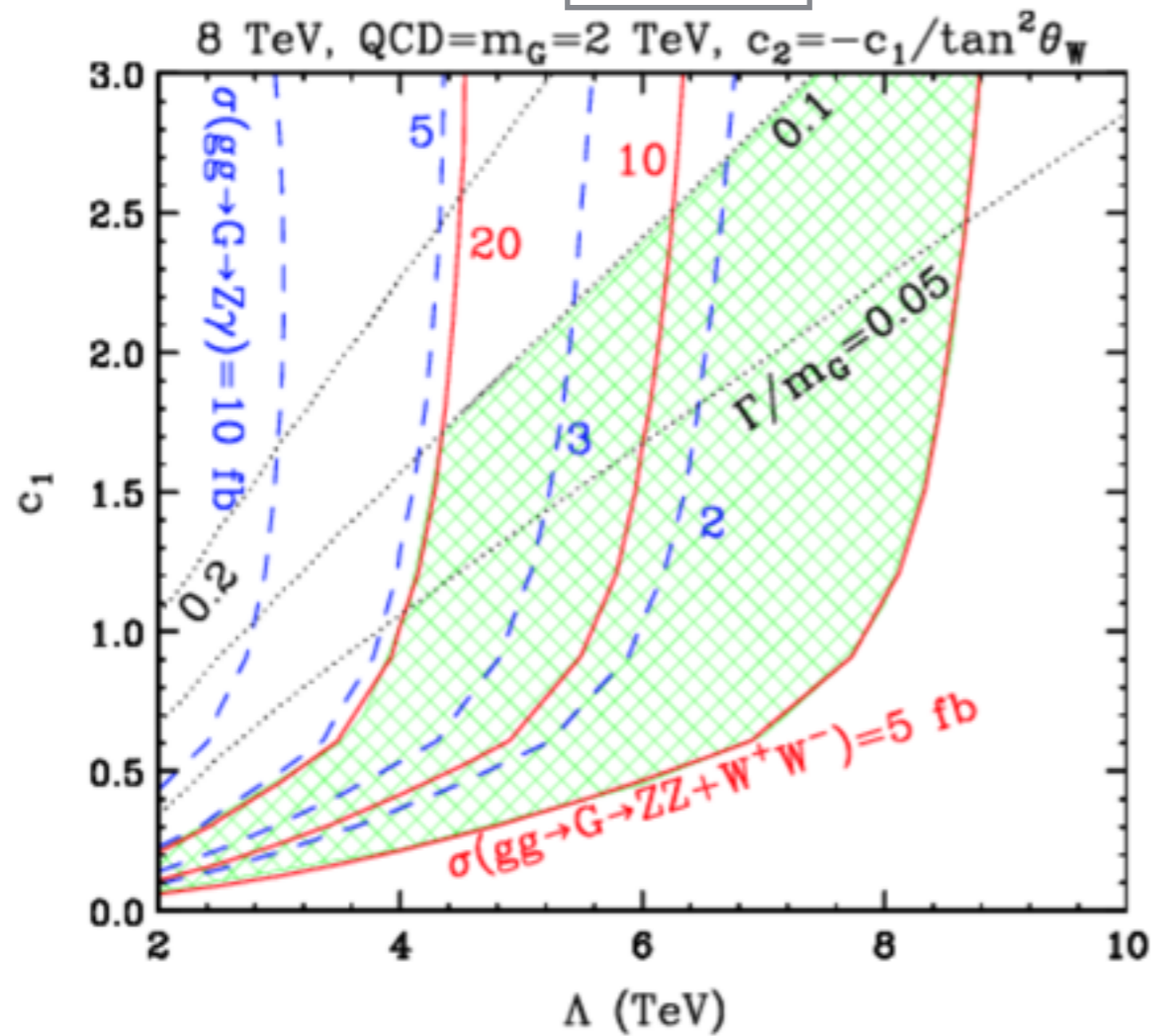


CP odd



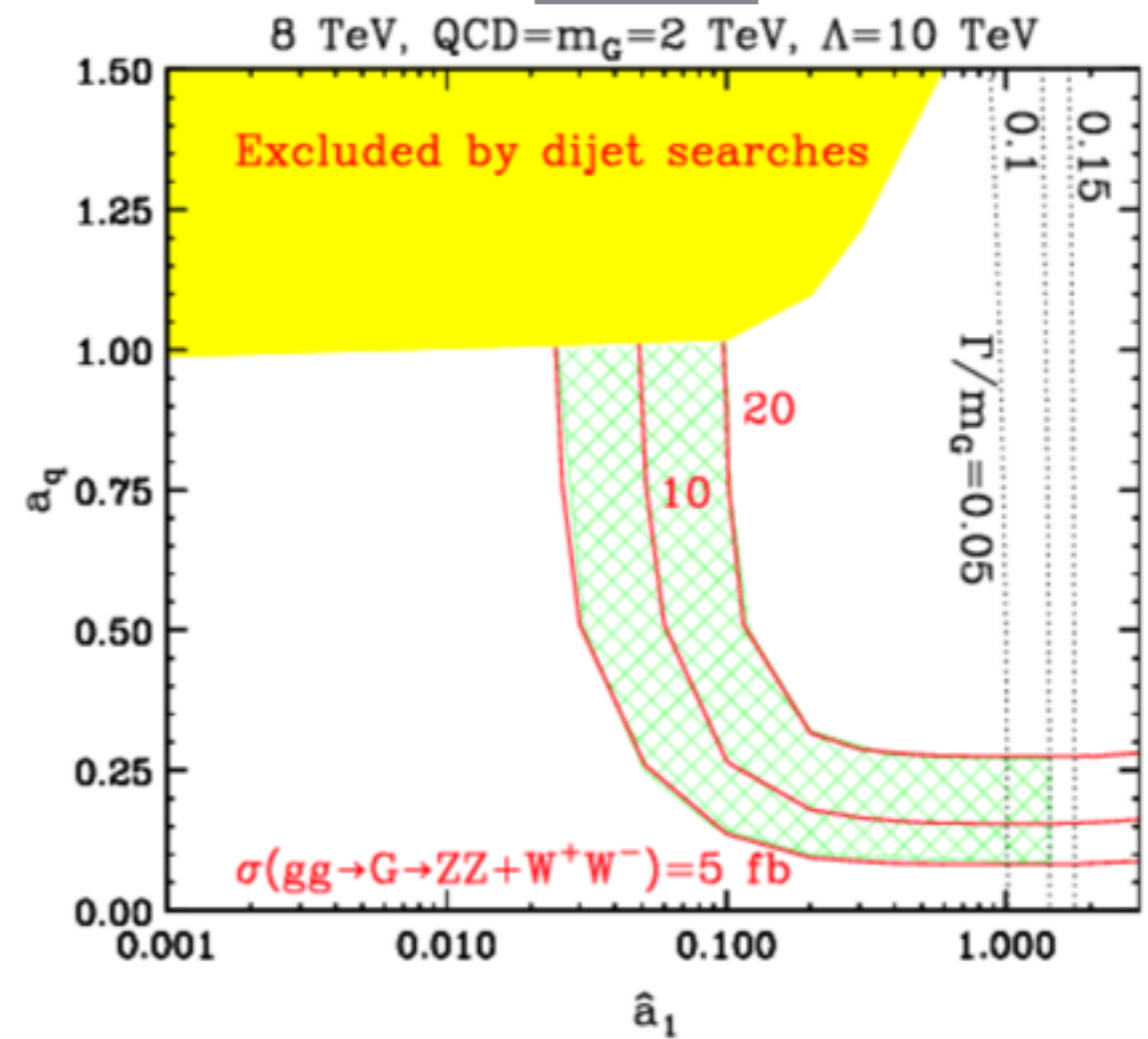
tensor

CP even



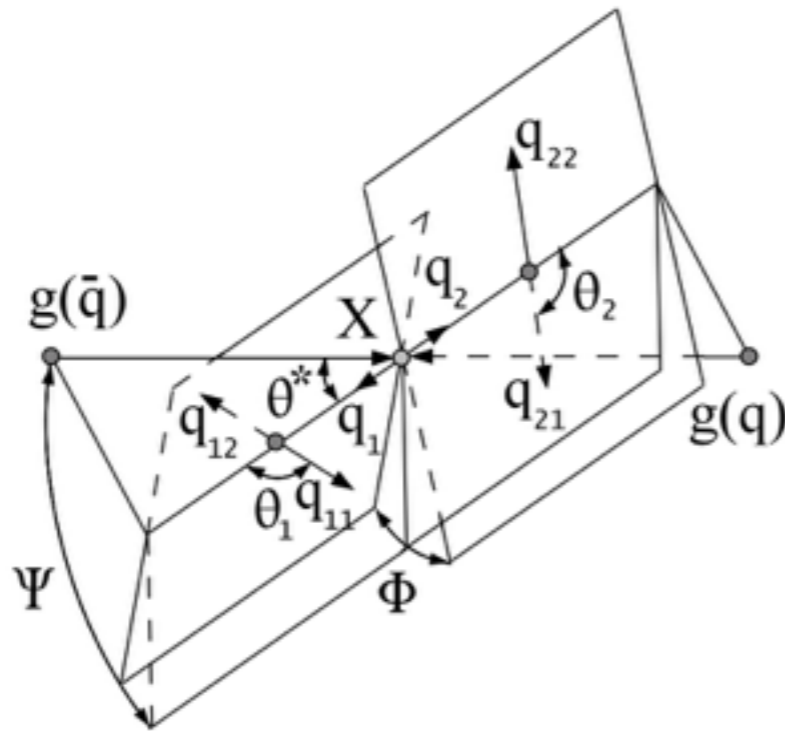
BR~similar to scalar

CP odd



BR~similar to vector

How to distinguish? see the angles!



$$\hat{n}_1 = \frac{q_{11} \times q_{12}}{|q_{11} \times q_{12}|}, \quad \hat{n}_2 = \frac{q_{21} \times q_{22}}{|q_{21} \times q_{22}|}, \quad \text{and} \quad \hat{n}_{sc} = \frac{\hat{n}_z \times q_1}{|\hat{n}_z \times q_1|}.$$

$$\Phi = \frac{\vec{P}_1 \cdot (\hat{n}_1 \times \hat{n}_2)}{|\vec{P}_1 \cdot (\hat{n}_1 \times \hat{n}_2)|} \cos^{-1}(\hat{n}_1 \cdot \hat{n}_2) \quad \text{with} \quad \hat{n}_i = \frac{\vec{u}_i \times \vec{v}_i}{|\vec{u}_i \times \vec{v}_i|},$$

$$\Phi_1 = \frac{\vec{P}_1 \cdot (\hat{n}_1 \times \hat{n}_{sc})}{|\vec{P}_1 \cdot (\hat{n}_1 \times \hat{n}_{sc})|} \cos^{-1}(\hat{n}_1 \cdot \hat{n}_{sc}) \quad \text{with} \quad \hat{n}_{sc} = \frac{\hat{z} \times \vec{P}_1}{|\hat{z} \times \vec{P}_1|},$$

$$\cos \theta^* = \frac{\vec{P}_1 \cdot \hat{z}}{|\vec{P}_1|},$$

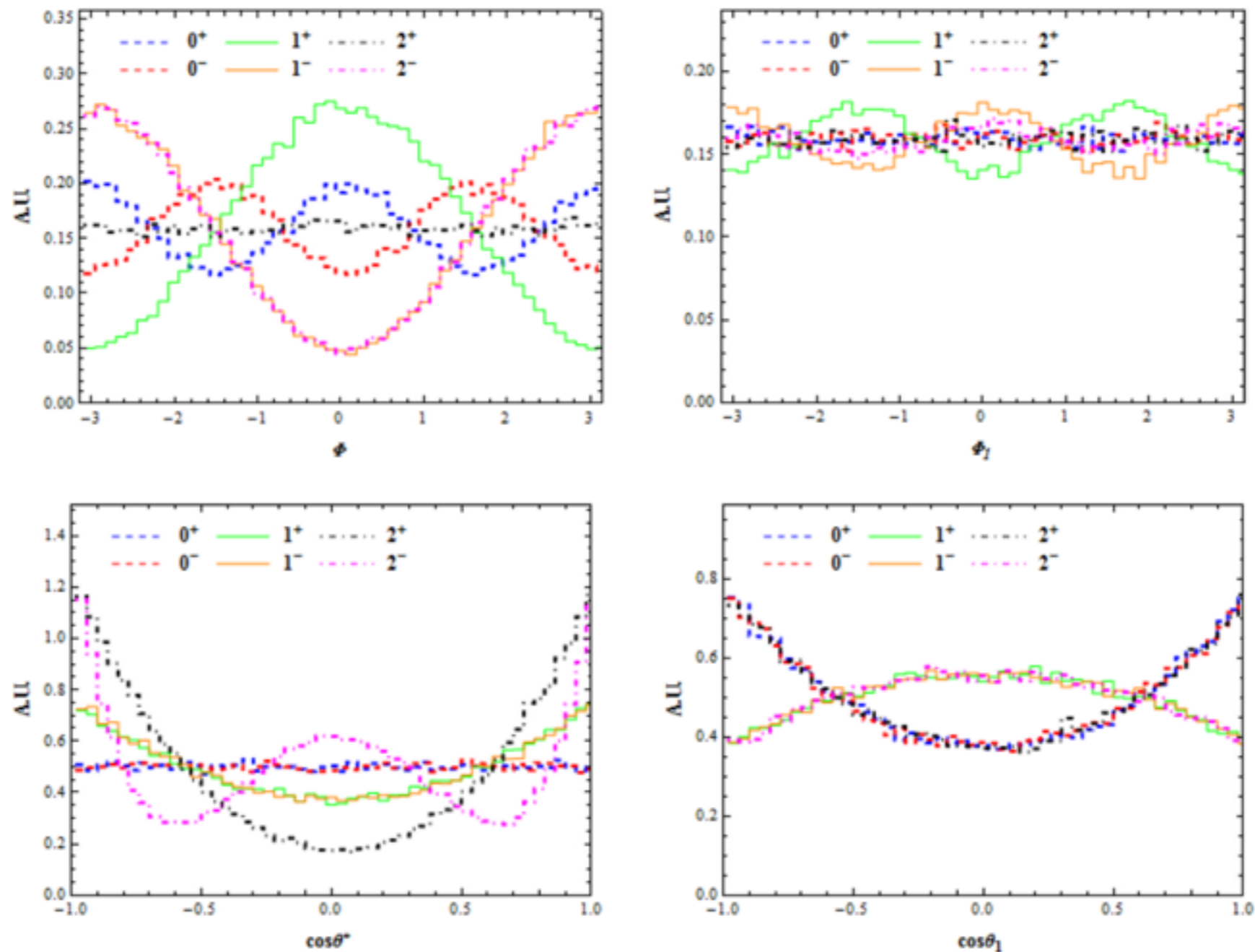
$$\cos \theta_1 = -\frac{\vec{P}_2 \cdot \vec{u}_1}{|\vec{P}_2| |\vec{u}_1|}.$$

Scattering angle dependence

Scattering angle dependence:

$$\frac{d\sigma}{d\cos\theta^*} \sim \begin{cases} 1, & \text{for } gg \rightarrow 0^+, 0^- \rightarrow W^+W^- \\ 1 + \cos^2\theta^*, & \text{for } q\bar{q} \rightarrow 1^+, 1^- \rightarrow W^+W^- \\ 1 + 6\cos^2\theta^* + \cos^4\theta^*, & \text{for } gg \rightarrow 2^+ \rightarrow W^+W^- \\ 1 - 3\cos^2\theta^* + 4\cos^4\theta^*, & \text{for } q\bar{q} \rightarrow 2^- \rightarrow W^+W^- \end{cases} .$$

Distributions may tell us more about spin & CP properties



summary & outlook

- ▶ **In PART-1:** We consider “top-philic resonance” as an interesting example and suggest a way of examining it in a model independent way at the LHC run-2.
- ▶ **In PART-2:** motivated by ATLAS diboson anomalies in WW, WZ, ZZ at 2 TeV, we consider a possible minimal EFT approach taking Spin-0, 1 and 2 with CP-even and odd states.
- ▶ Further experiments (LHC13) with measurement of angular distributions would be essential to confirm the signal and identify its spin and CP properties. (will learn more this winter?)
- For DM model builders: **‘Top-portal’** and **‘Diboson-portal’** could be interesting paths to go beyond the current analysis.